

Machine Learning: "Pricing" the Way Forward

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Agenda

Machine Learning – The Concept

Gradient Boosters

- Decision Trees
- How Gradient Boosting works

Artificial Neural Networks

- · Structure and Architecture
- How ANN's Work and Learn

What does it mean to "learn"?

· Gradient Descent

Applications to Insurance Data

Interpreting Machine Learning Models

- Measuring Feature Importance
- Finding Variable Interactions

Key Takeaways and Conclusions







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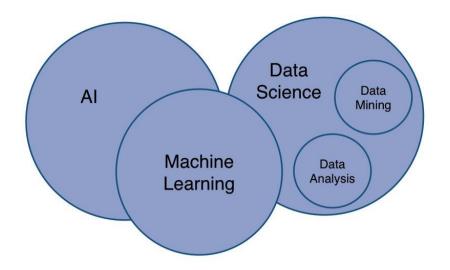
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The "teaching a kid math" analogy



All about patterns!!!



All about patterns!!!

Computer systems <u>learn</u> from data

We <u>train</u> the system → System <u>learns</u> → Then performs operations <u>on its own</u>



All about patterns!!!

Computer systems <u>learn</u> from data

We <u>train</u> the system

System <u>learns</u>

Then performs operations <u>on its own</u>

Training phase 1: data is fed into the algorithm, relevant fields and records sorted from data to retrieve active dataset



All about patterns!!!

Computer systems <u>learn</u> from data

We <u>train</u> the system — System <u>learns</u> — Then performs operations <u>on its owr</u>

Training phase 2: **Model Fitting** – algorithm decodes hidden patterns and relationships in the data



All about patterns!!!

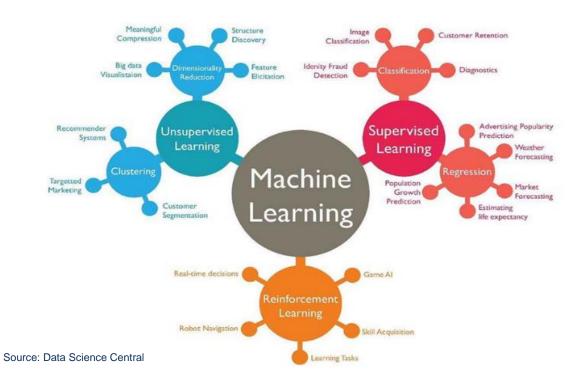
Computer systems <u>learn</u> from data

We <u>train</u> the system — System <u>learns</u> Then performs operations <u>on its own</u>

Testing phase: new data fed into system, algorithm uses patterns & relationships learnt during the training phase to predict new cases



Types of Algorithms







...make assumptions about distributions



- ...make assumptions about distributions
- ...worry about possible correlations between predictors



- ...make assumptions about distributions
- ...worry about possible correlations between predictors
- …look for interactions between predictors





Gradient Boosters

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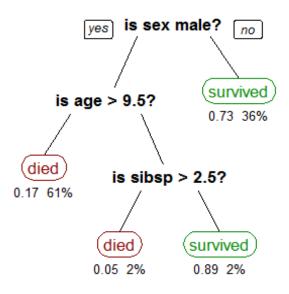
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Decision Trees

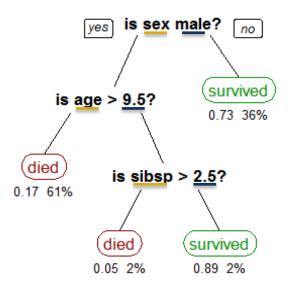


Model is grown by recursively splitting the data into **decision boundaries** using the **feature** space

Source: Wikipedia



Decision Trees



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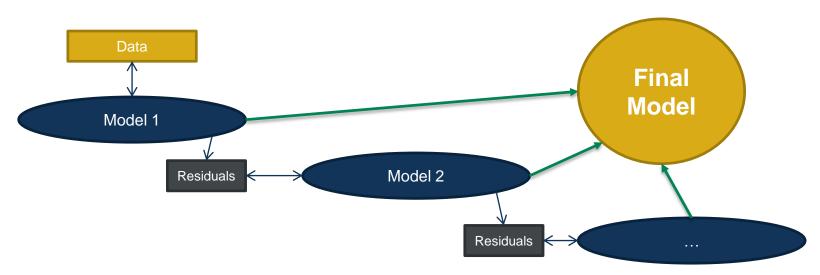
Boosting

Converts weak learners into a single strong learner by aggregating them



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Making <u>computers</u> think like <u>we</u> do!

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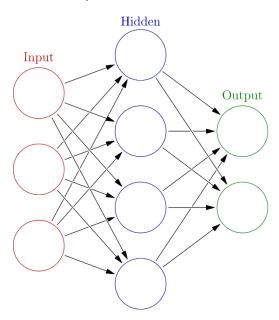
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Artificial Neural Networks

Structured Sequential model



Structured: A Neural Network has a defined structure that consists of 3 types of layers

Sequential: Information flows in a sequence from one layer to the next, undergoing operations at each layer – almost like an assembly line





Data in every neuron is transformed by an <u>activation function</u>:

$$h_k(x) = g(\beta_{0k} + \sum_{i=1}^n x_i \beta_{ik})$$

 $h_k(x) - k^{th}$ neuron in a hidden layer eta_{ik} - coefficient of the i^{th} previous-layer neuron on above neuron

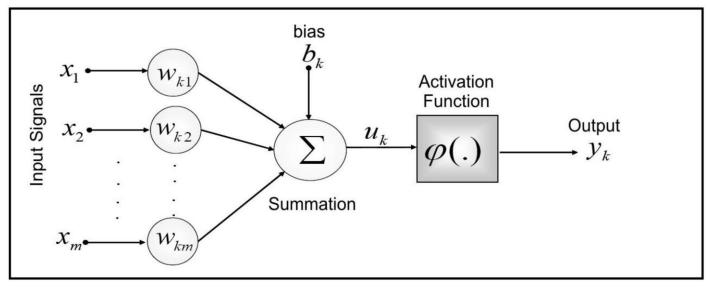


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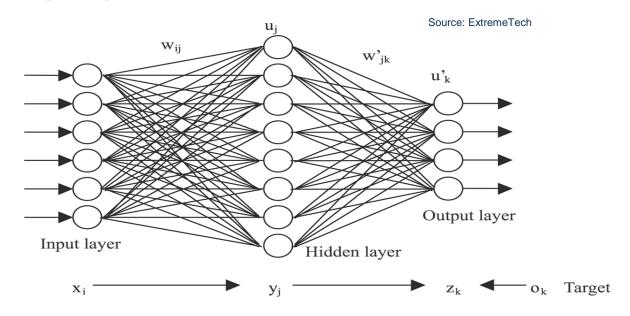
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 Activation function transforms the linear combination of inputs from one layer and sends it to the next layer.

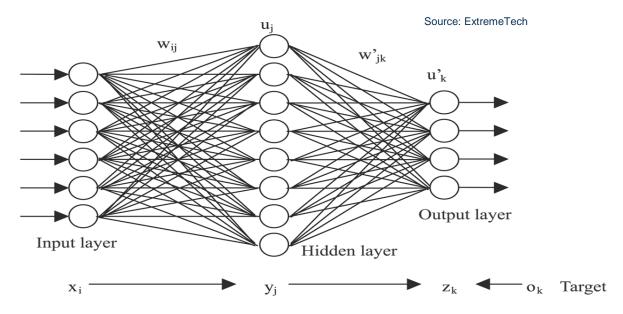


Source: MDPI



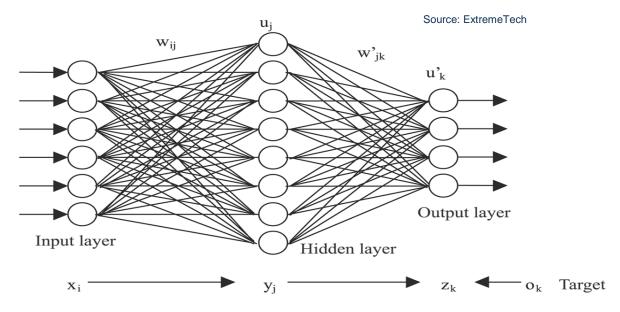






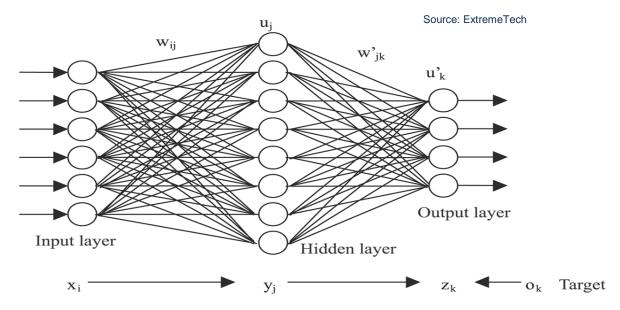
At first, each neuron is randomly assigned a weight – this measures the contribution of that neuron to the next layer





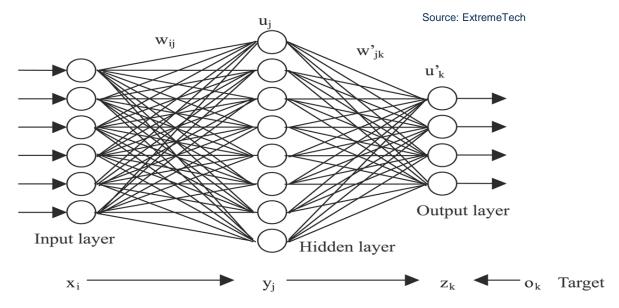
Data flows through network, predicted values calculated





Predictions are compared with actuals based on a loss function





Weights are updated to reduce value of loss function







Gradient Descent

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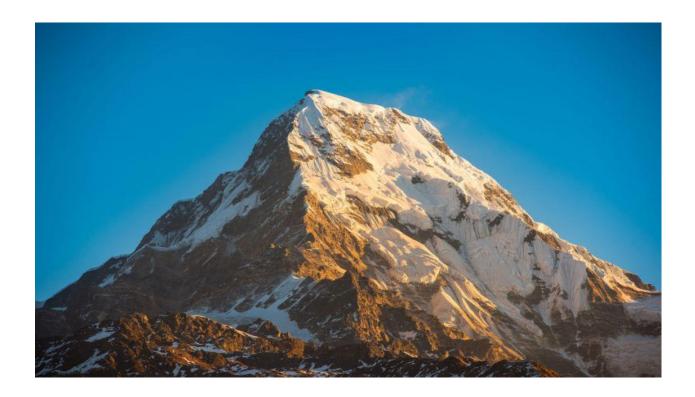
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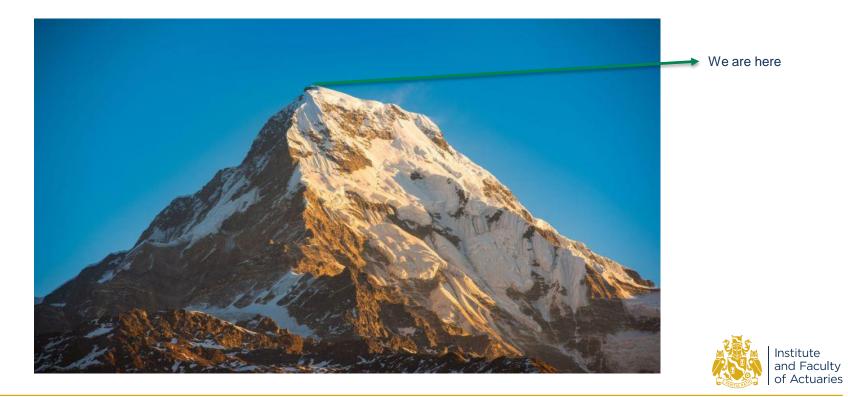
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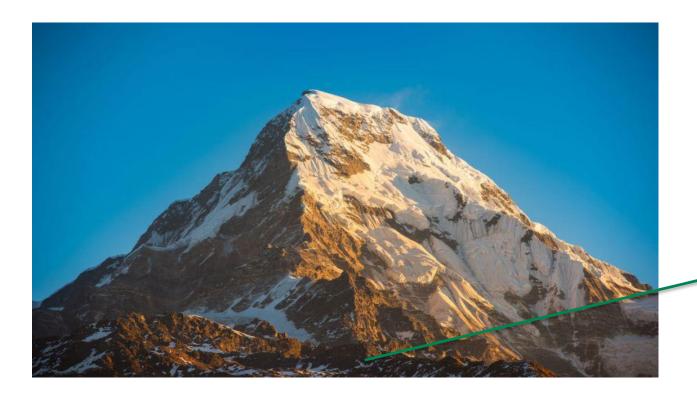








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Want to go there



Modelling continues until the following is minimized:



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$$\nabla_{\mathbf{W}} \mathbf{L} = \frac{\delta L}{\delta W}$$

<u>Gradient</u> of the Loss function – measures change in loss function as model weights change



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$$\nabla_{\mathbf{W}} \mathbf{L} = \frac{\delta L}{\delta W}$$

<u>Gradient</u> of the Loss function – measures change in loss function as model weights change

- The above function is computed and a step is taken in the direction where it is minimized the most relative to our current position
- Size of this step is the learning rate



• Suppose for Neuron A and iteration t, the weight was found to be $W_{A(t)}$



- Suppose for Neuron A and iteration t, the weight was found to be $W_{A(t)}$
- Then, for iteration t + 1, weight is optimized to:

$$W_{A(t+1)} = W_{A(t)} - \eta \nabla_{W_{A(t)}} L$$

η – Learning Rate Multiplier
 ∇_{WA(t)}L – Gradient of Loss Function w.r.t. weight
 of Neuron A at iteration t



 Vanilla approach: Compute gradient for entire training sample and update weights based on that



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 - No method to check if full convergence is achieved
 - What if different parameters work differently and require different optimization rates?
- Stochastic Gradient Descent: Compute gradient for each individual point in the training sample and update weights iteratively for every sample
 - Too slow Might cause algorithm to crash or give up for extremely large datasets, thus
 potentially preventing full convergence





Different parameters may have different gradients



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- For each weight, RMSProp computes the moving average of its squared gradients



- Different parameters may have different gradients
- For each weight, RMSProp computes the moving average of its squared gradients
- Current gradient is divided by the square root of this average

$$\begin{split} E[g^2]_t &= \beta E[g^2]_{t-1} + (1-\beta) (\nabla_{W_{A(t)}} L)^2 \\ W_{A(t+1)} &= W_{A(t)} - \frac{\eta}{\sqrt{E[g^2]_t}} \nabla_{W_{A(t)}} L \end{split}$$

β – Moving Average Parameter (0.9 is a good value)

• g – Gradient of Loss function







dataCar from R's insuranceData package

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Data Description

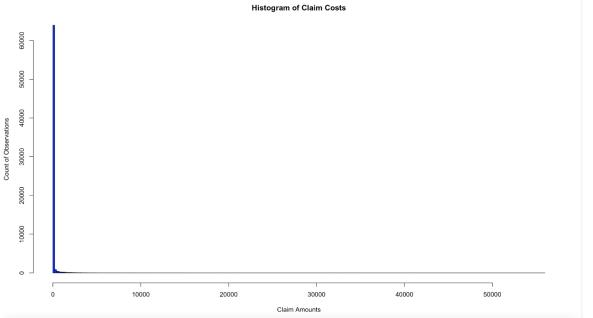
- Policyholder-level information on one-year vehicle insurance policies
- 67,856 records with following rating factors
 - Vehicle value in \$10,000's
 - Vehicle body type (eg. Sedan, convertible, hatchback, bus & other levels)
 - Vehicle age (Levels 1-4 w/1 being the newest & 4 being the oldest)
 - Gender of driver
 - Area
 - Driver age category (Levels 1-6 w/1 being youngest & 6 being oldest)



Heavily skewed w/no-claim percentage of 93.2%



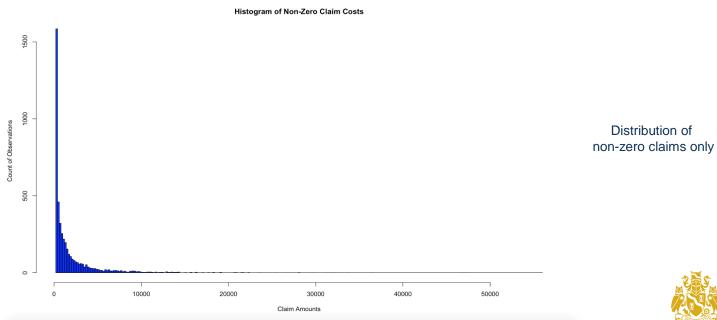
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Distribution of raw claims data

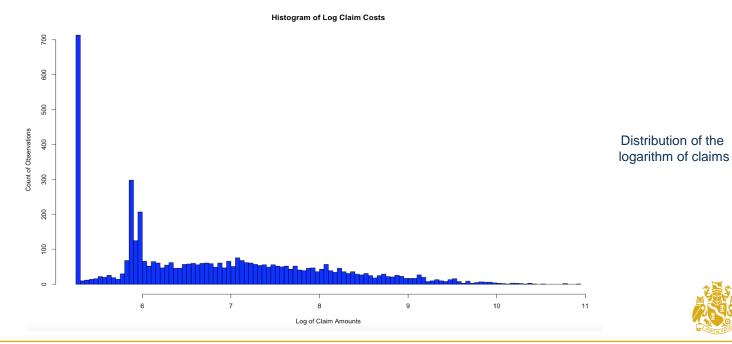


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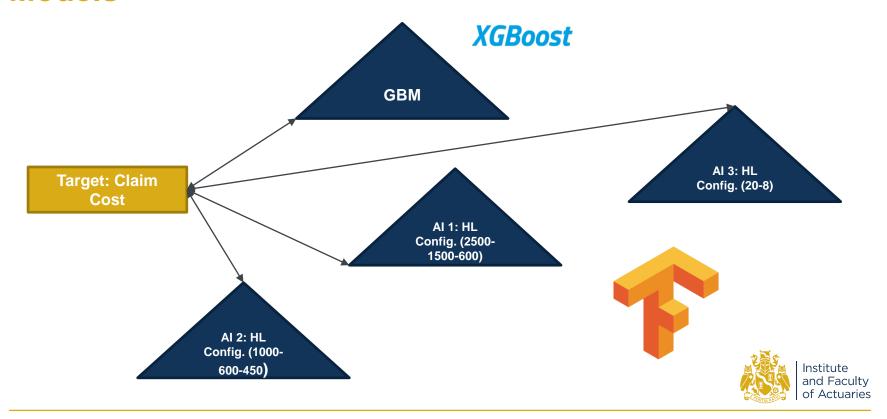
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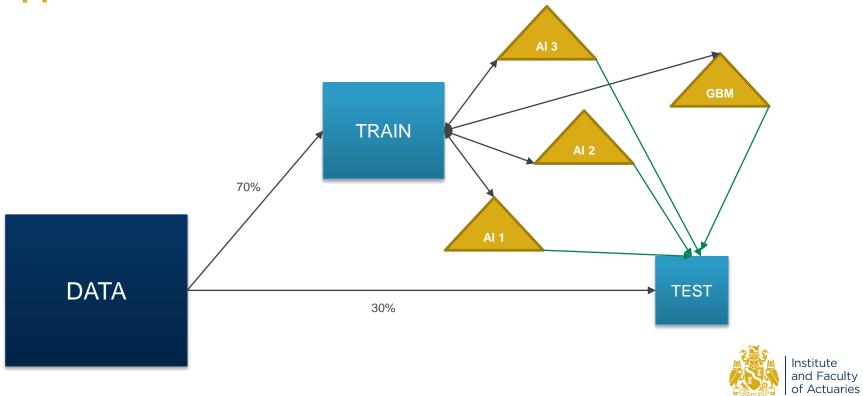
Models



Approach 1 – Standard Fit

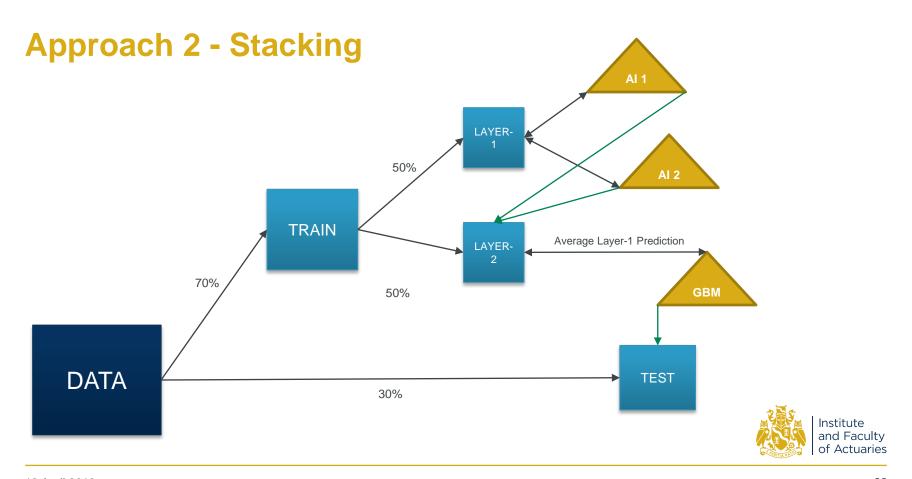


Approach 1 – Standard Fit



Approach 2 - Stacking





Model Comparison



Model Comparison

Model	Test RMSE ($ imes~10^2$)	Test MAE (× 10²)
Tweedie GLM	9.51	2.702
GBM	10.43	2.168
AI 1: HLC (2500-1500-600)	15.01	3.614
AI 2: HLC (1000-600-450)	14.02	3.641
AI 3: HLC (20-8)	11.89	8.814
Average	11.28	3.112
Stack Model (Approach 2)	9.94	2.387







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Types of Interpretation



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Interpretability

GLOBAL

Trying to understand the predictions on an overall level

– In general, why does a model behave the way it does?

LOCAL

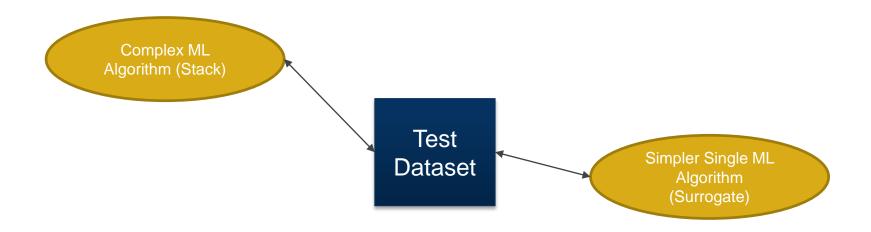
Trying to understand predictions for specific records – For a given record, what led the model to predict what it did?



Step 1: Building a Surrogate



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Since the Stack isn't a model by itself, approximate it using a robust model



Global Interpretation

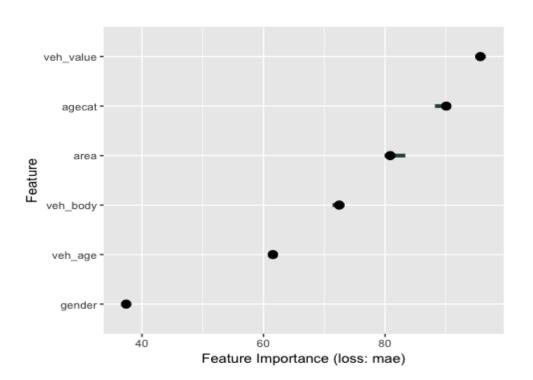


Global Interpretation

- Feature Importance
- Interaction Effects



Feature Importance - dataCar



Vehicle Value, Driver Age and Geographical Location seem to be the key drivers of claims



Interaction Effects



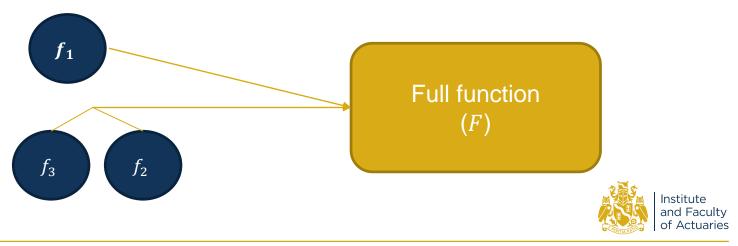
Interaction Effects

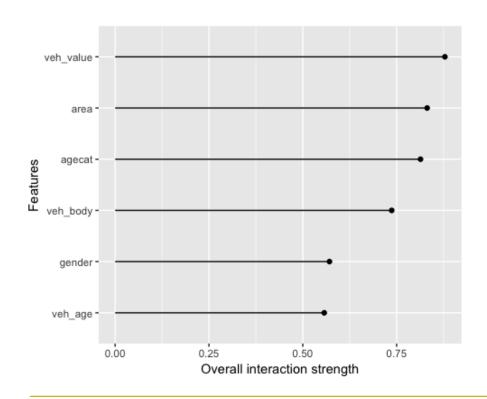
- For a feature f, algorithm computes partial function only dependent on f and partial function solely dependent on each of the other features
- If variance of full (true) function can be fully explained by the sum of the above partials, no interaction is attributed to f



Interaction Effects

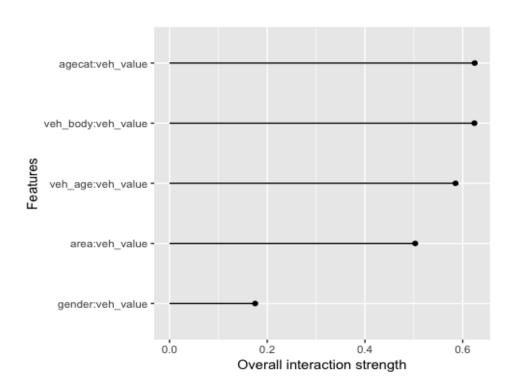
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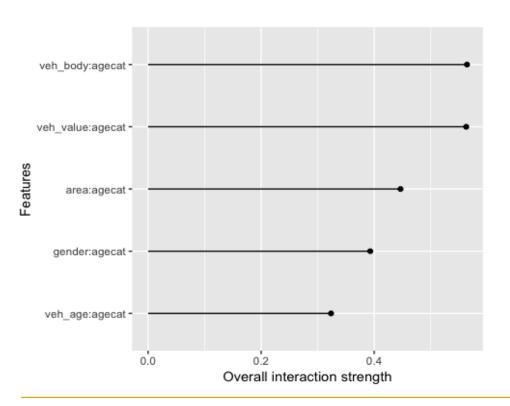
Vehicle Value, Driver Age and Geographical Location seem to have the highest average overall interaction effects; Vehicle Body also strong





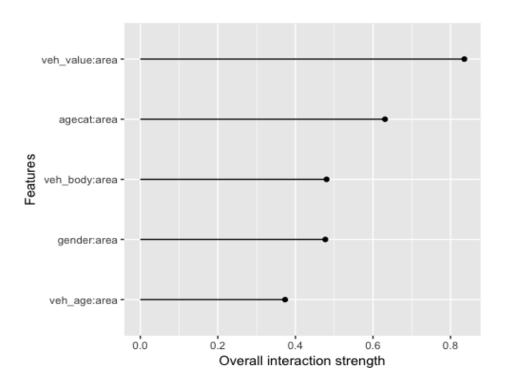
Vehicle Value – Interaction Effects





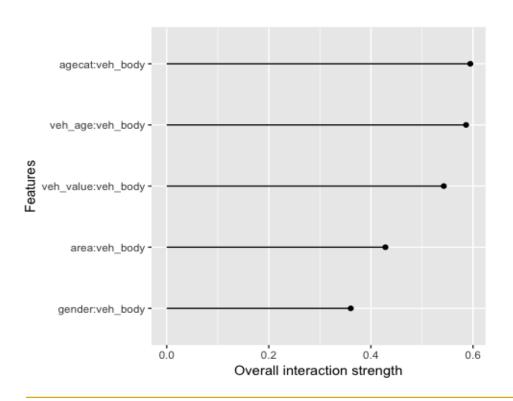
Driver Age Band – Interaction Effects





Area – Interaction Effects





Vehicle Body Type – Interaction Effects







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ML: The Good and the Not-so-good



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The Good:

- Allows for complete model automation
- No need to assume anything about the data, both in terms of rating factors and claim distributions
- Can help us draw conclusions about hidden patterns interactions between variables



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The Good:

- Allows for complete model automation
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- Can help us draw conclusions about hidden patterns and interactions between variables
- The Not-so-good:
 - Computationally intensive requires hardware such as GPU's and fast/powerful processors to run efficiently
 - Interpretability Techniques are being developed to improve this





- Machine Learning and AI are powerful tools which can aid actuaries in decision-making
- All should definitely be explored and experimented with in addition to using more traditional methods such as GLM's



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- Machine Learning and AI are powerful tools which can aid actuaries in decision-making
- All should definitely be explored and experimented with in addition to using more traditional methods such as GLM's
- No one "right" model best predictions can come from ensemble models
- Further research being done to improve interpretability of AI, applications of Machine Learning in the actuarial realm (fraud detection, reserving)



Questions

Comments

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