

Trends in Mortality by Pension Level: Evidence from the CPP and QPP

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The '**Modelling, Measurement and Management of Longevity and Morbidity Risk**' research programme is being funded by the ARC, the Canadian Institute of Actuaries and the SoA.

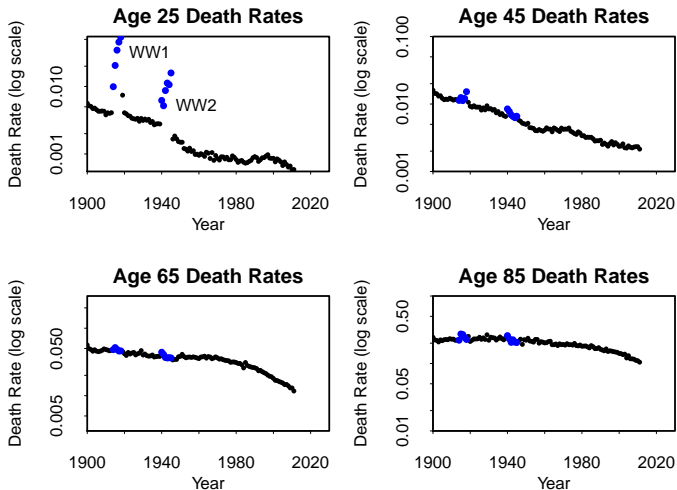
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ARC Research Programme Themes

- Improved models for mortality; better data
- Key drivers of mortality
- Management of longevity risk
- Morbidity risk modelling for critical illness insurance

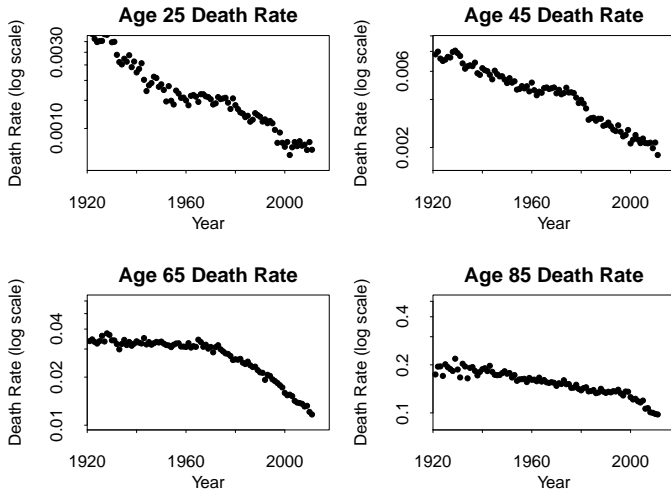
- Introduction and background
- National and international trends
- Subgroups: CPP, QPP, international
- Underlying demographic trends; immigration
- Stochastic mortality models; clustering
- Conclusions

Historical Death Rates: Males, England and Wales



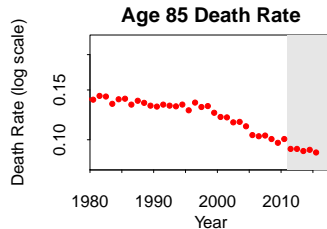
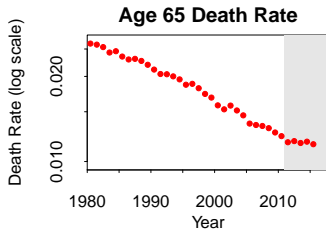
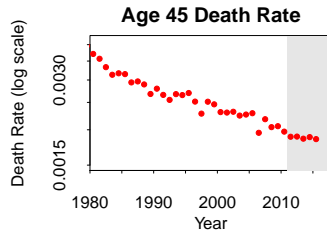
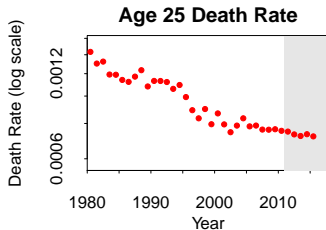
Future forecasts \Rightarrow need for stochastic mortality models

Historical Death Rates: Canada Males (up to 2011)



(Source: Human Mortality Database)

Historical Death Rates: Canada Males (1980 to 2015)



(Source: Statistics Canada)

How to process and interpret crude mortality data?

- How to improve signal to noise ratio?
- Empirical measures: age standardised mortality rates
- Model based methods
- Clustering

Age Standardised Mortality Rates (ASMR)

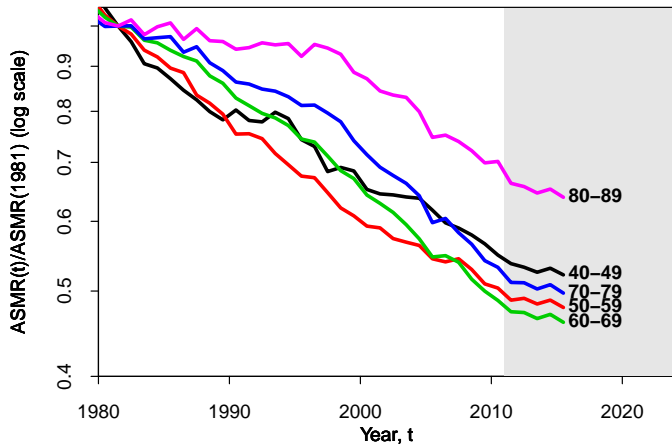
- The ASMR is a weighted average of the crude death rates over a defined age range
- Age range x_0, \dots, x_1 , year t :

$$ASMR(t) = \frac{\sum_{x_0}^{x_1} \hat{m}(t, x) \tilde{E}(x)}{\sum_{x_0}^{x_1} \tilde{E}(x)}$$

- $\hat{m}(t, x)$ = crude death rate in year t at age x
- $\tilde{E}(x)$ “standard” exposures (e.g. European Standard Population, 2013)
- Use of ASMR facilitates comparison of populations
- ASMR also reduces impact of sampling variation

Canada Males: Improvements Relative to 1981

Canada Males
Age Standardised Mortality Rates Relative to 1981
By Age Band



- How significant is the slowdown observed at some ages?
- How do Canadian trends compare with other countries?
- Do we observe different trends amongst different socio-economic groups?

Recent Improvement Rates: Canadian Males

Average mortality improvement rates per annum:

Age Group	2001-2011	2011-2015
40-49	1.8%	0.7%
50-59	1.9%	0.5%
60-69	2.8%	0.7%
70-79	3.0%	0.7%
80-89	2.4%	0.9%

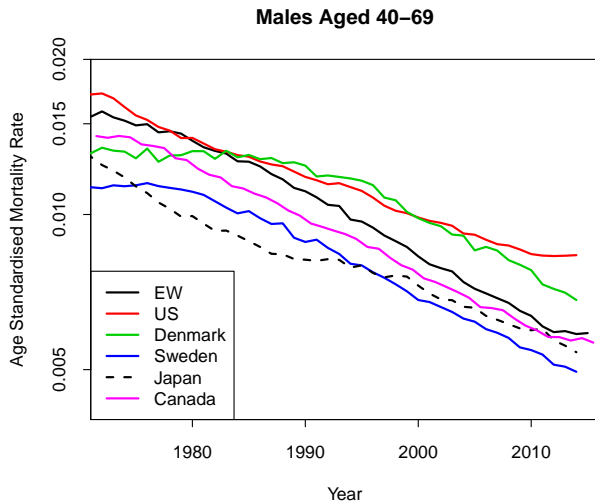
Recent Improvement Rates: Canadian Males

Beware of noise in the data:

Age Group	2001-2011	2011-2015	2000-2010	2010-2015
40-49	1.8%	0.7%	1.7%	1.0%
50-59	1.9%	0.5%	1.6%	1.0%
60-69	2.8%	0.7%	2.8%	1.1%
70-79	3.0%	0.7%	2.9%	1.3%
80-89	2.4%	0.9%	2.2%	1.9%

- 2010: generally high mortality
- 2011: generally low mortality

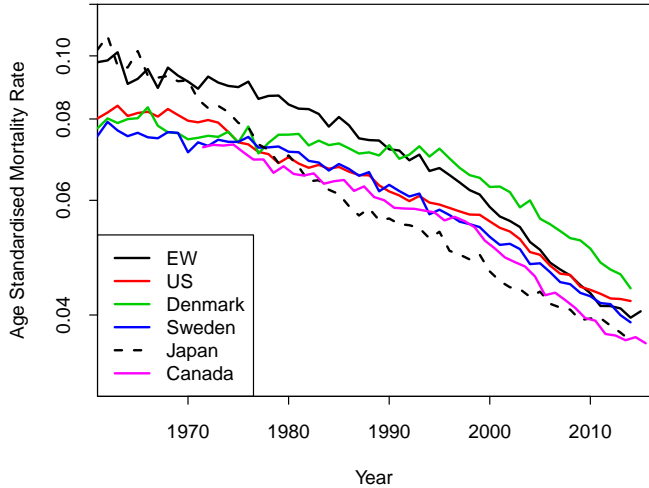
Comparison With Other Countries: ASMR 40-69



- Canada, England & Wales, US:
⇒ slowdown
- Japan, Sweden, Denmark:
⇒ no slowdown

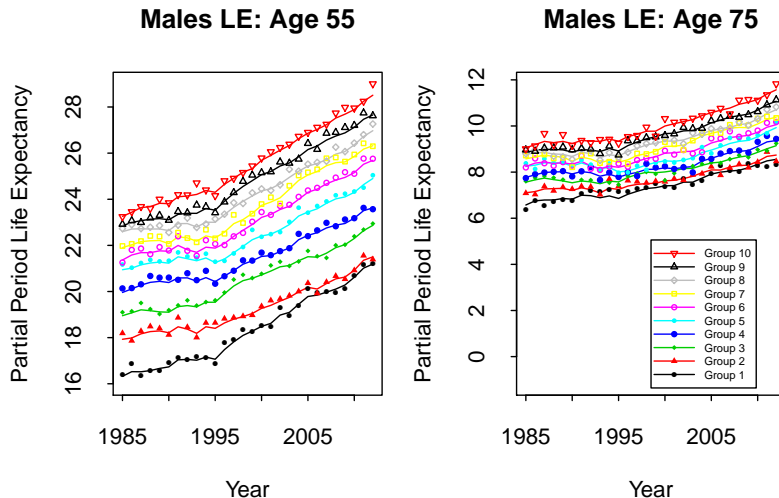
Comparison With Other Countries: ASMR 65-89

Males Aged 65-89



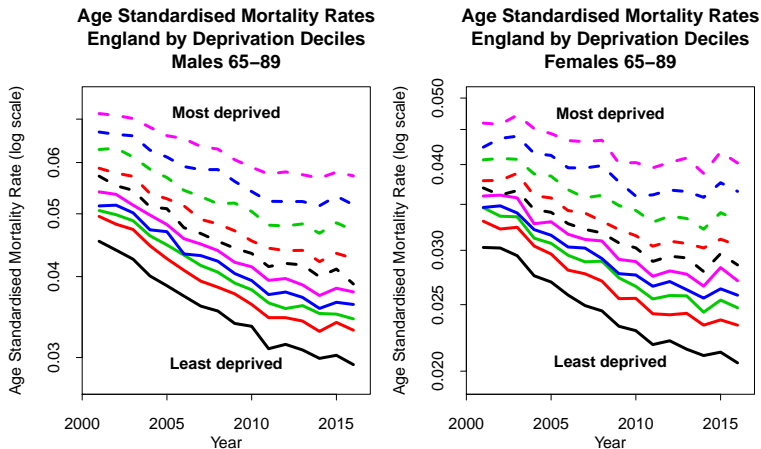
Socio-Economic Differences in Mortality: Denmark

Denmark: life expectancy by *affluence* decile



Socio-Economic Differences in Mortality: England

England: mortality by *deprivation*



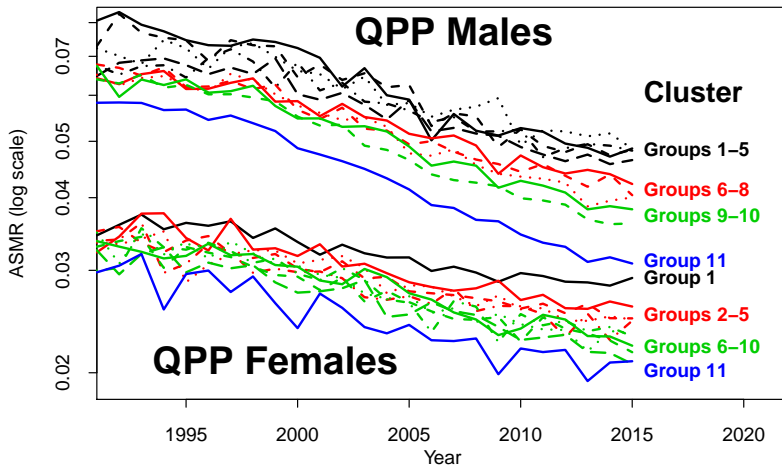
Socio-Economic Differences in Mortality: Canada

- Data acquisition facilitated through the research programme Project Oversight Group at the CIA
- Canada Pension Plan
- Québec Pension Plan
- Pensions in payment
- Deaths and exposures: $D(g, i, t, x)$, $E(g, i, t, x)$
- g = gender
- i = pension band
- t = calendar year
- x = age last birthday (at date of death)

CPP and QPP data: 11 Groups by Pension Band

- Pension as a % of Cohort Maximum Pension
- Cohort Max \Rightarrow contributing to CPP/QPP for at least 39 years with earnings above *Yearly Maximum Pensionable Earnings* (YMPE; 2018: CAD 55,900)
- Group $i = 1 \Rightarrow$ 0% to 9% of Cohort Max
- Group $i = 2 \Rightarrow$ 10% to 19% of Cohort Max
- \vdots $\quad \quad \quad \vdots$
- Group $i = 10 \Rightarrow$ 90% to 99% of Cohort Max
- Group $i = 11 \Rightarrow$ 100% of Cohort Max
- Years: 1968-2015
- Ages: 60-64 / 65+

Age Standardised Mortality Rate
QPP Males and Females Aged 65–89



- Group 11 stands clear of others
 - Group 11 is quite heterogeneous (comfortable → wealthy)
 - Achieving *max* requires conscientiousness
- Females Group 1 also stands clear
(Why not males also? Females Group 1 much larger???)
- Widening gap might reflect shrinkage of Group 11 (later slides)
- Clustering creates larger, 'similar' groups with less sampling variation
- Different rates of improvement before and after 2011 in all groups (although results are noisy)

Conscientiousness

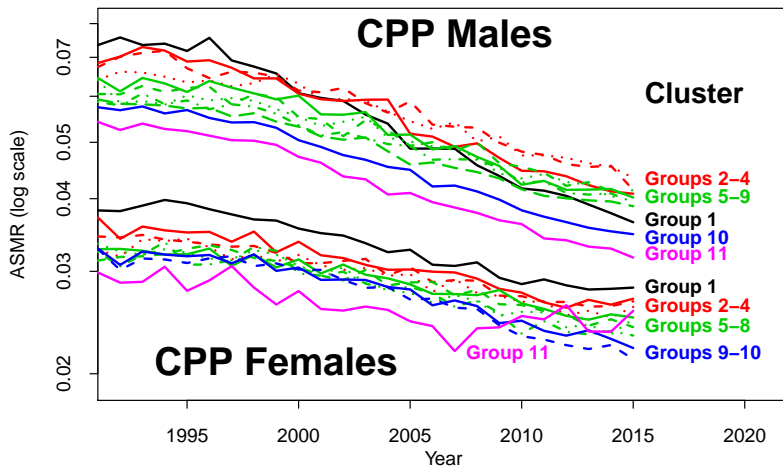
Meanings and associations:

- wishing to do one's work or duty well and thoroughly
- careful; diligent; hard working; dedicated; accurate

- Correlated with (???):
 - sustained success in employment
 - more likely to have maximum years with earnings above YMPE

 - more likely to visit doctor early
 - more likely to follow doctor's orders

Age Standardised Mortality Rate
CPP Males and Females Aged 65–89

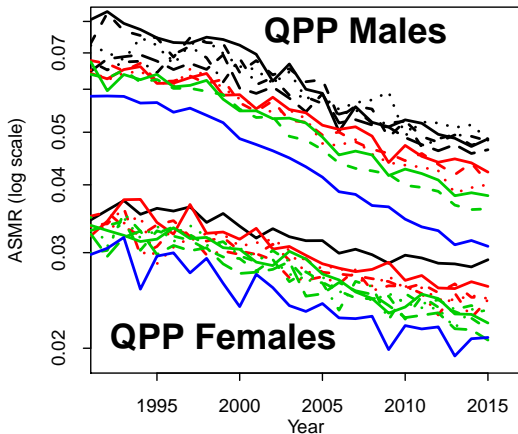


- Group 11 stands clear of others
- Females Group 1 also stands clear
- Stable inequality spread
- Strange behaviour needing further investigation:
 - Males Group 1: possibly immigration in late middle age of wealthier and healthier people
 - Females Group 11

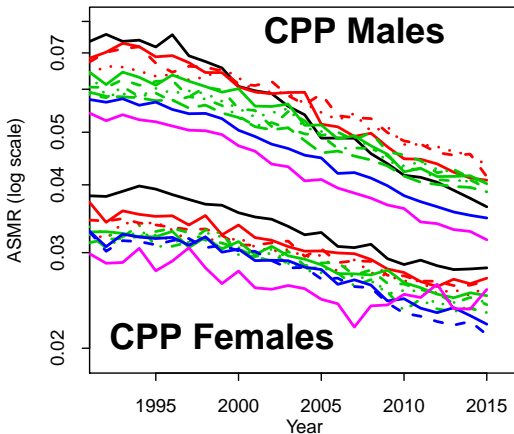


QPP vs CPP Mortality: (broadly similar)

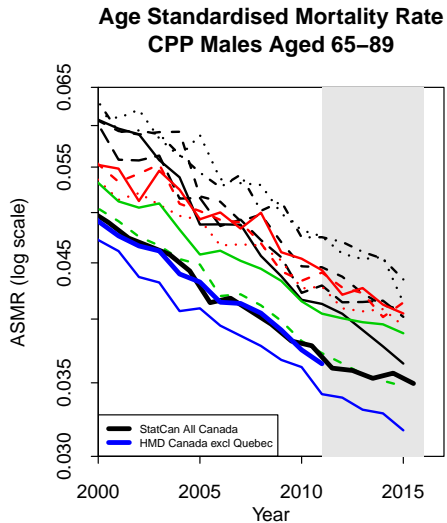
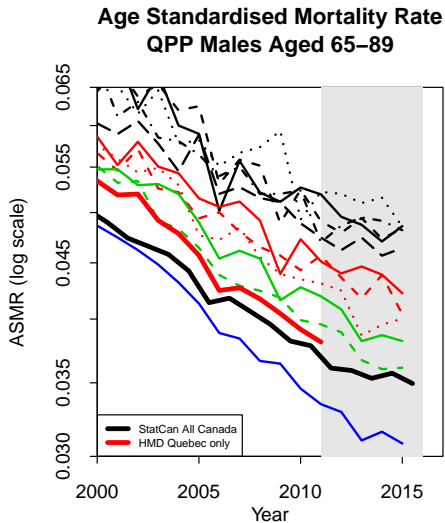
Age Standardised Mortality Rate
QPP Males and Females Aged 65-89



Age Standardised Mortality Rate
CPP Males and Females Aged 65-89



QPP vs CPP vs All Canada Mortality: Slowdown???



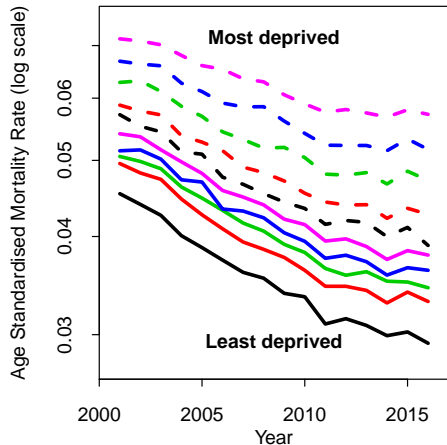
QPP vs CPP vs All Canada Mortality: Slowdown???

- QPP starts with higher mortality
- But QPP catches up by 2015
- Without pension bands, CA/Q/CxQ regional ASMR appear low but Groups 10+11 have ~50% of the pensioner population
- Source of Canadian slowdown is difficult to pinpoint

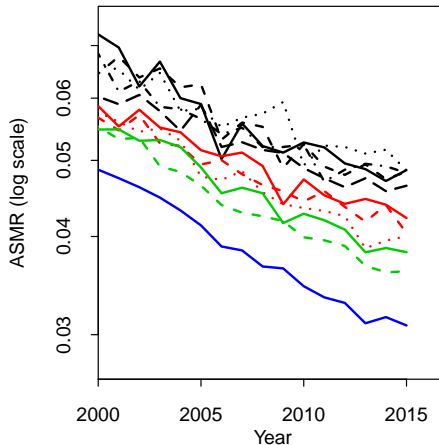
- CA: All Canada
- Q: Québec only (HMD data by province)
- CxQ: All Canadian provinces apart from Québec

QPP Pensions Bands vs English Deprivation Deciles

Age Standardised Mortality Rates England by Deprivation Deciles Males 65–89



Age Standardised Mortality Rate QPP Males Aged 65–89



Factors Influencing Group Mortality

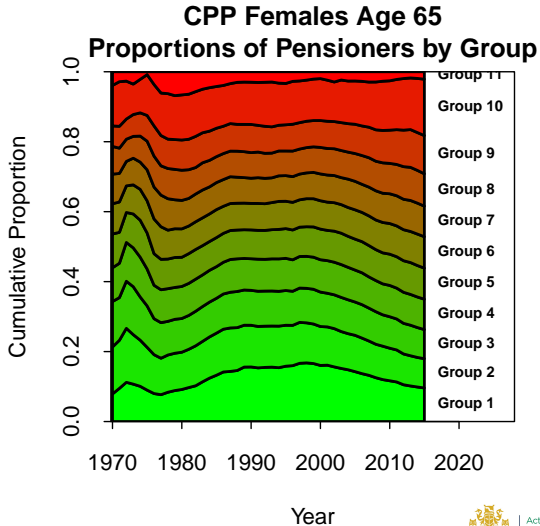
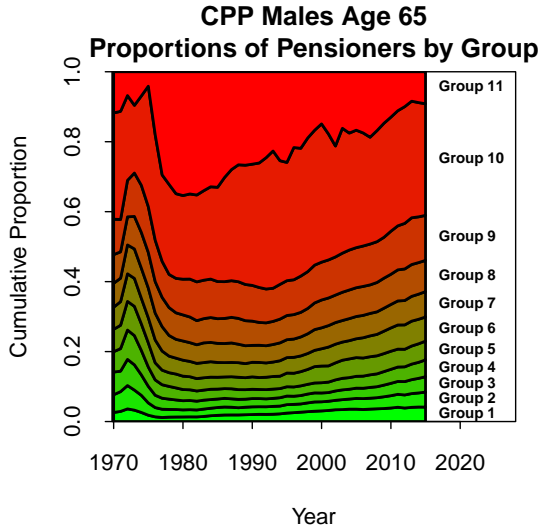
Everything else being equal:

- 10% in Group 11 (max) \Rightarrow lower mortality compared to
- 20% in Group 11 (max) \Rightarrow higher mortality

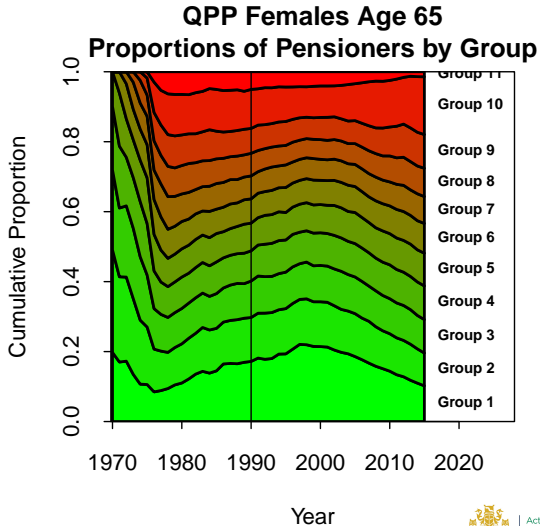
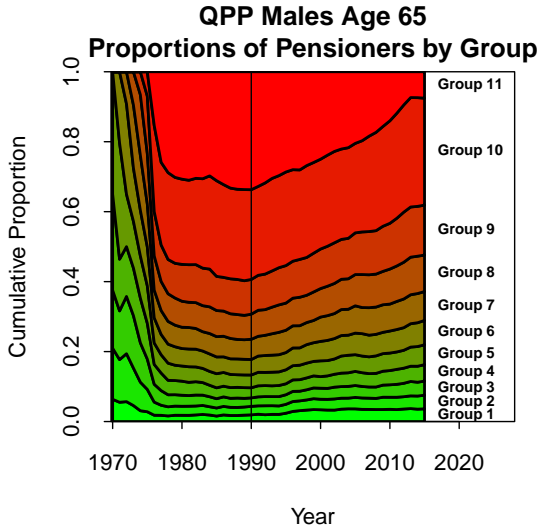
In practice:

- Group 11 is shrinking cohort by cohort
- Artificially high mortality improvements (?)
- Although checks suggest numerical impact is small (groups 10+11; 9+10+11)

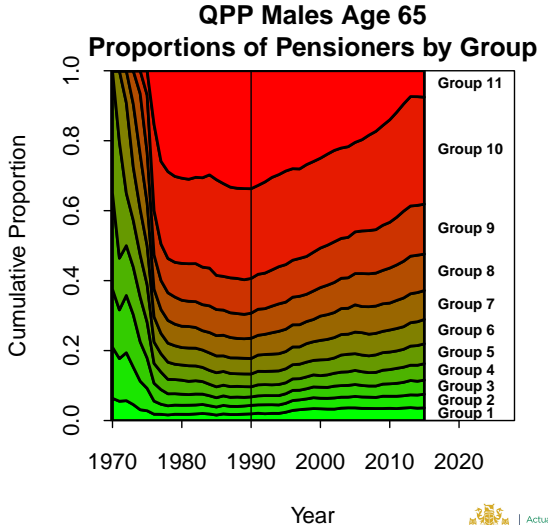
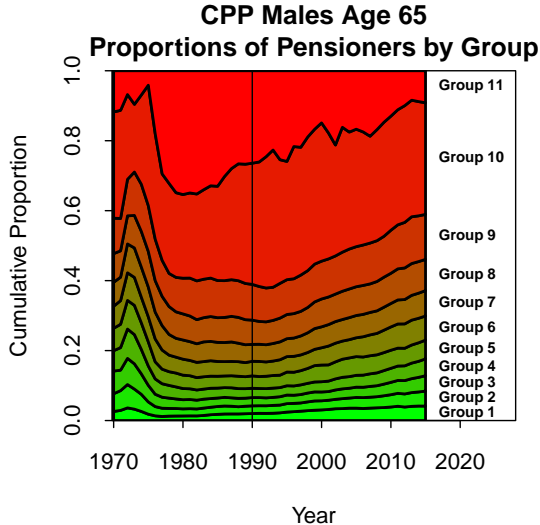
Proportions in Each Group: CPP Males vs Females



Proportions in Each Group: QPP Males vs Females



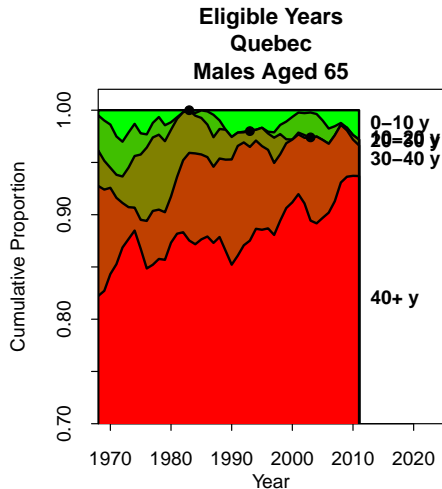
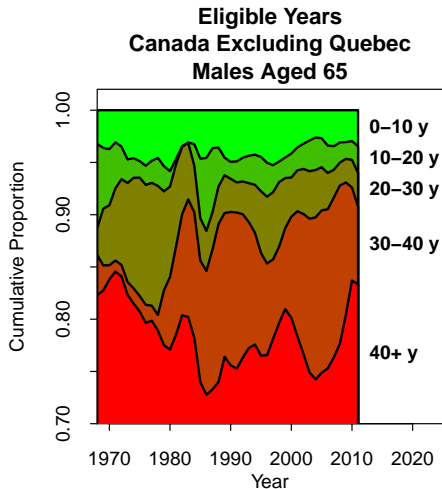
Proportions in Each Group: CPP Males vs QPP Males



Varying Group Sizes

- Ability to attain a high pension depends on
 - Career salary profile
 - Career breaks
 - Real growth of the YMPE over time
 - Immigrants: age on arrival in Canada
- YMPE: growth \gg CPI and median earnings growth
- \Rightarrow declining proportion in Group 11
- Migration: Eligible Years = $65 - \text{Age on Arrival (or 18)}$
- Indirect estimation using HMD Canadian Province population and deaths
- Estimation requires lots of assumptions!

Eligible Years by Cohort at Age 65



E.g. Québec **dots** link to low immigration around 1980

Immigration Remarks

- Québec (Q) immigration in adulthood much lower than the rest of Canada (CxQ)
- CxQ: highly variable immigration through time
- Q: declining immigration
- CxQ: significant levels of immigration amongst 55-65 year olds
- Peaks and troughs: link to periods of high/low immigration
- E.g. Québec **dots** link to low immigration around 1980

Motivation for Stochastic Mortality Models

- Data \Rightarrow uncertain future
- Modelling and measuring longevity risk is important in many actuarial applications
 - **General risk assessment**
 - **Pricing**: margin for systematic risk
 - **Reserving**: systematic risk in runoff
 - **Reserving**: systematic reserving risk over a 1-year horizon
 - **Reserving**: diversification benefit between two populations
 - **Assessment of risk reduction** in longevity hedges
- How do the results for different populations and sub-populations compare?

Mortality and Longevity Modelling & Risk Assessment

- Central forecasts
- **How much uncertainty around central forecasts?**
- Understand and document how stochastic models are currently used in practice: identify gaps
- New single population models: e.g.
 - wider age range
 - flexible and robust estimation procedures
 - greater flexibility in modelling central forecasts
- **New multipopulation models:** e.g.
 - Data driven modelling
 - How to handle smaller populations?
 - Robust models
 - Realistic correlation term structure

Multipopulation Stochastic Mortality Models

Genealogy:

- Single population:

$$\text{Lee-Carter } \log m(t, x) = \alpha(x) + \beta(x)\kappa(t)$$

↓

↓

$$\text{Renshaw-Haberman } \log m(t, x) = \alpha(x) + \beta_1(x)\kappa_1(t) + \beta_2(x)\kappa_2(t).$$

- Multi-population Renshaw-Haberman

$$\log m(i, t, x) = \alpha(i, x) + \beta_1(i, x)\kappa_1(i, t) + \beta_2(i, x)\kappa_2(i, t)$$

- Many simpler special cases investigated
E.g. Common Age Effect (CAE) Model

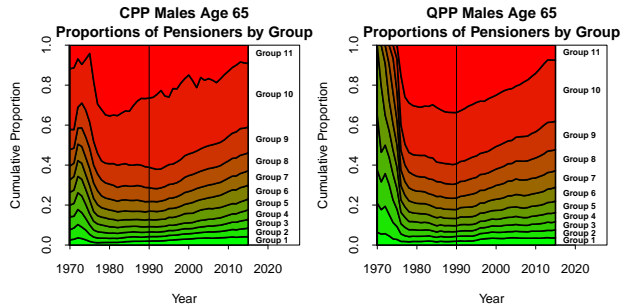
$$\log m(i, t, x) = \alpha(x) + \beta_1(x)\kappa_1(i, t) + \beta_2(x)\kappa_2(i, t)$$

The Common Age Effect Model (CAE)

$$\log m(i, t, x) = \alpha(x) + \beta_1(x)K_1(i, t) + \beta_2(x)K_2(i, t)$$

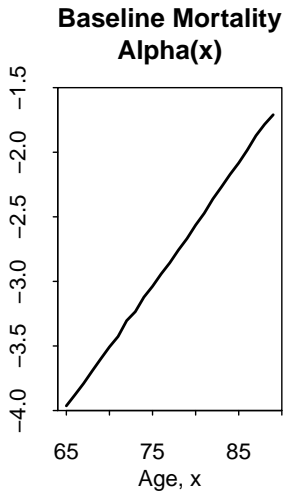
- CAE gives the best balance between
 - Goodness of fit
 - Model complexity (number of parameters to estimate)

How Much Data to Use?

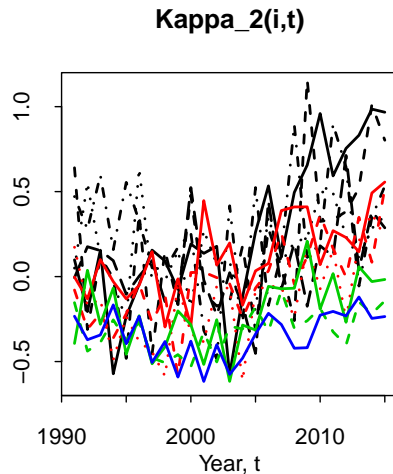
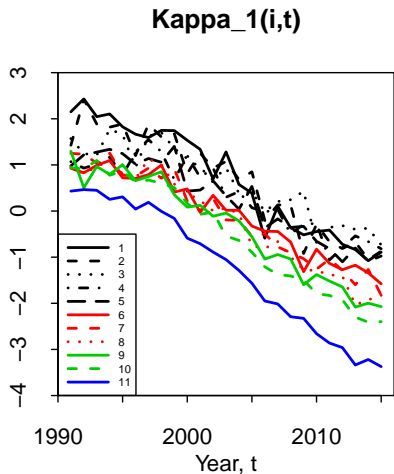


- Stability in *new* retirees from late 1970's
- Takes time to filter through to higher ages
- Compromise: 1991-2015
- Some immature early cohorts but models can cope

Common Age Effects: QPP Males



Group Specific Period Effects: QPP Males



Period Effects

- $\kappa_1(i, t)$
 - Picks up the main changes over time
 - Very similar to the ASMR plots

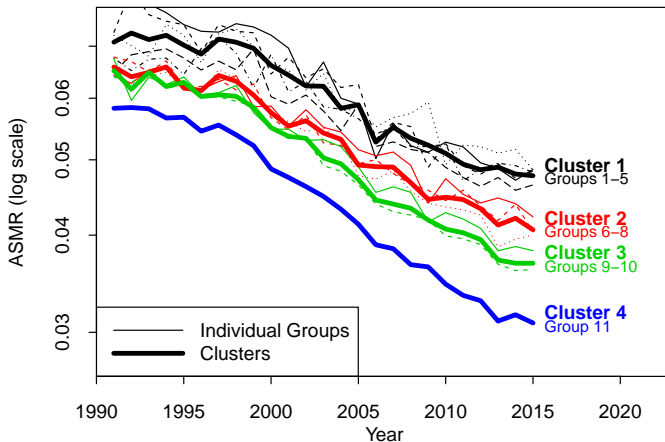
- $\kappa_2(i, t)$
 - Much more noisy (sampling variation in deaths)
 - Slight upwards trend
 - ⇒ additional improvements at high ages

- Some lower groups only 2-4% of total cohort
- Smaller groups:
 - Higher levels of sampling variation in deaths
 - Higher levels of sampling variation in estimated period effects $\kappa_1(i, t)$ and $\kappa_2(i, t)$
 - Introducing bias in forecast levels of uncertainty
- Clustering mitigates this problem
- Optimisation \Rightarrow (e.g. QPP males, 65-89, 1991-2015)

Cluster	Groups	Exposures
1	1-5	1.745 M
2	6-8	2.069 M
3	9-10	3.861 M
4	11	2.743 M

ASMRs For QPP Clusters (Males)

Age Standardised Mortality Rate
QPP Males Aged 65–89
Fitted: 11 Groups vs 4 Clusters



Conclusions

- Analysis of CPP/QPP data by pension level provides insight into combined mortality
 - mortality rates
 - varying group sizes
 - immigration
- Further insight can be gained by looking outside Canada
- Multipopulation stochastic models will help assess future levels of uncertainty:
 - future funding levels
 - future contribution rates
- Clustering helps to improve signal to noise ratio
⇒ more reliable forecasts



Thank You & Questions/Discussion

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Summary

This presentation provides an analysis and discussion of pensioners' mortality data provided by the Canada Pension Plan (CPP) and the Québec Pension Plan (QPP). The presentation covers three aspects of the ongoing analysis of the CPP and QPP data: empirical analysis of historical data and comparison of CPP/QPP; process of fitting multi-population mortality models to the historical CPP/QPP data to determine the best choice of model, number of subgroups needed, and most appropriate historical period for calibration; and insights into forecasting mortality improvements at the subgroup level.

The underpinning research is part of the Modelling, Measurement and Management of Longevity and Morbidity Risk research program funded by the Actuarial Research Centre of the Institute and Faculty of Actuaries, and co-funded by the Canadian Institute of Actuaries.