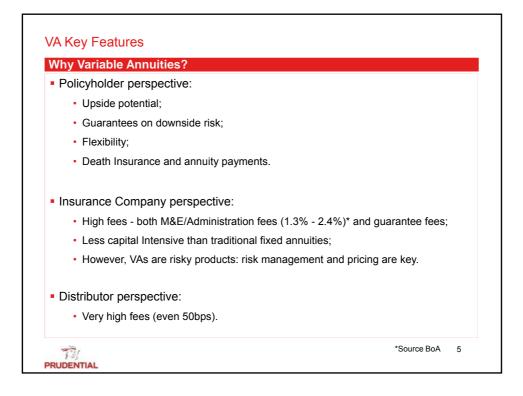
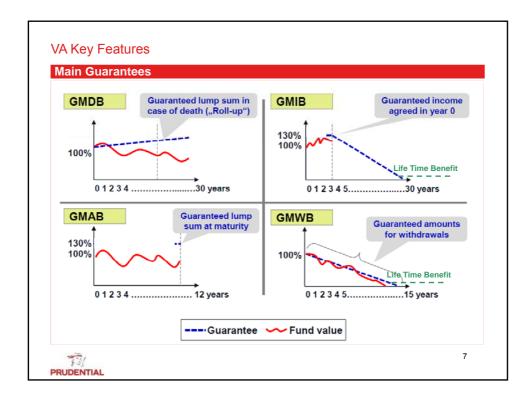
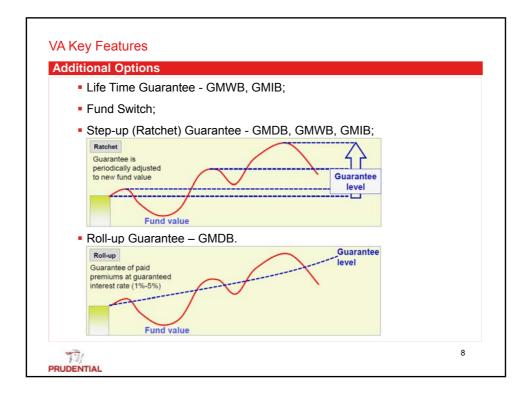


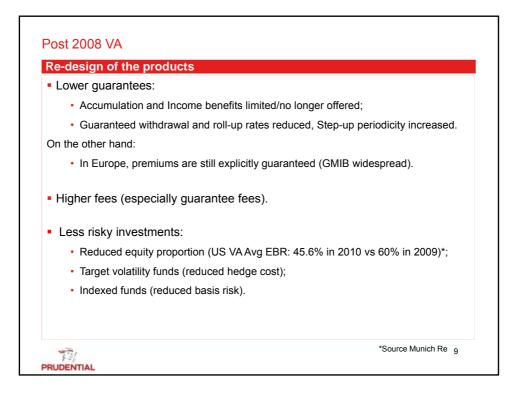
	a Variable Annuity?
VAs ar	e
• Ur	nit-linked products;
• W	ith customizable guarantees;
• In 2	2 phases: Accumulation and Income (Annuitisation).
Popularity	 Death Benefit (GMDB)*: Minimum payout on death guaranteed; Withdrawal Benefit (GMWB): Minimum annual withdrawals guaranteed; Income Benefit (GMIB): Minimum annual payments guaranteed in the inc. ph.;
	 Accumulation Benefit (GMAB): Minimum payout guaranteed at the end of a guarantee period.

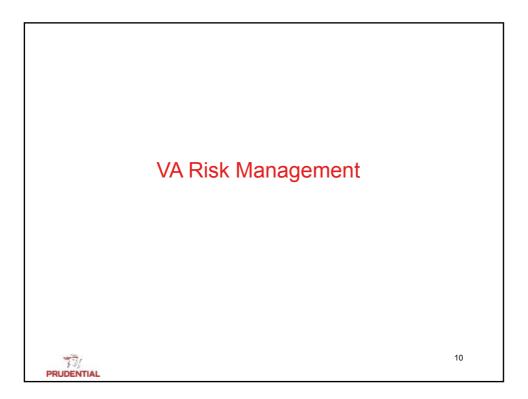


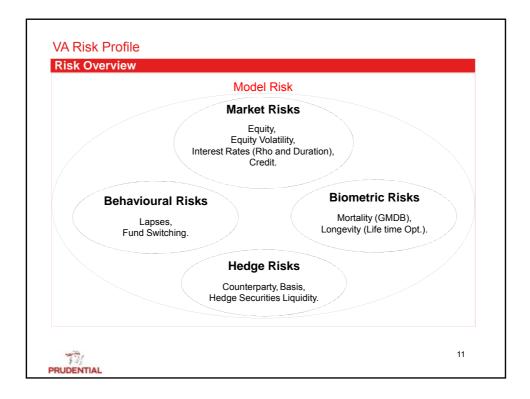
Main Guarant	
	aranteed Minimum Death Benefit : guaranteed lump sum on the owner of the contract dies.
	ranteed Minimum Income Benefit: guaranteed minimum m upon annuitisation at a particular point in the future.
the income b	aranteed Minimum Withdrawal Benefit: guarantee similar to enefit, but that doesn't require annuitising. The policyholder ha ithdraw up to a maximum guaranteed amount every year.
	aranteed Minimum Accumulation Benefit: guaranteed lump tain point in the future.

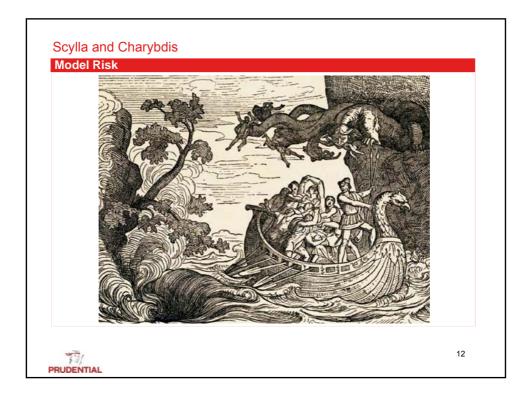


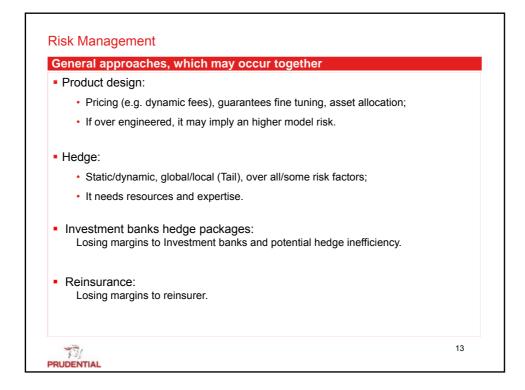




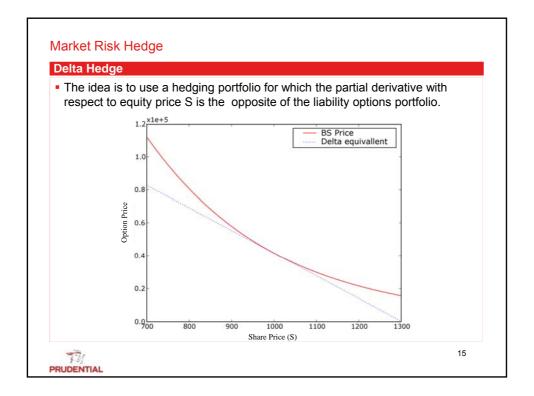


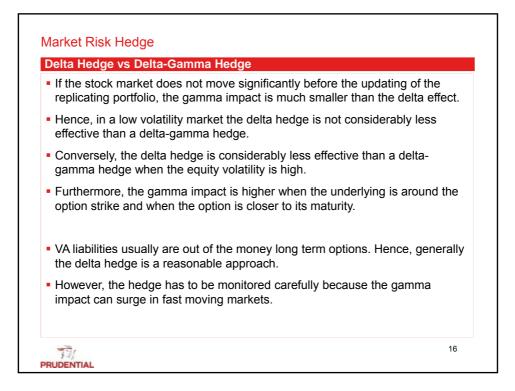


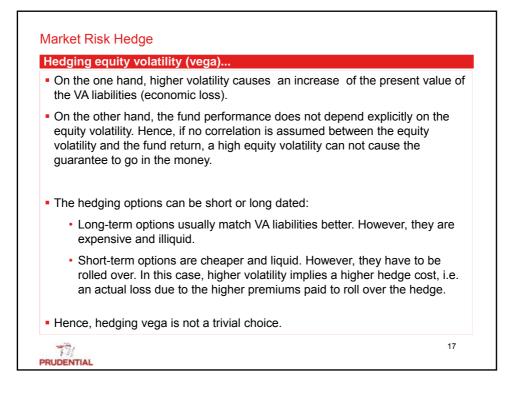


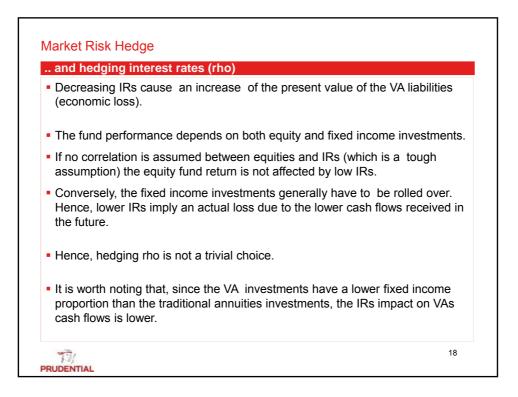


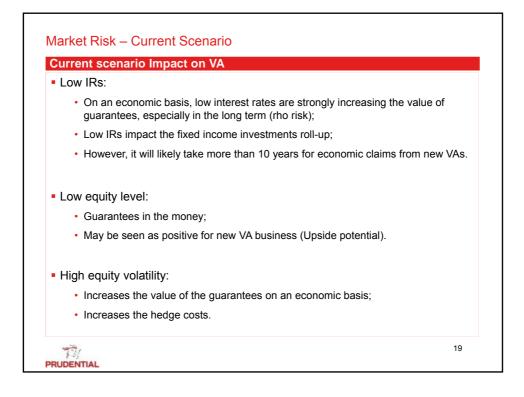
Types of Hedging St	rategies
 Hedging is based on the 	ne following Taylor approximation:
$\Delta f(S,t,r,\sigma) =$	$\underbrace{\frac{\partial f}{\partial S}}_{\text{Delta}} \Delta S + \underbrace{\frac{\partial f}{\partial t}}_{\text{Theta}} \Delta t + \underbrace{\frac{\partial f}{\partial S}}_{\text{Rho}} \Delta r + \underbrace{\frac{\partial f}{\partial \sigma}}_{\text{Vega}} \Delta \sigma$
	$+rac{1}{2} \underbrace{rac{\partial^2 f}{\partial S^2}}_{\Omega} (\Delta S)^2 + \dots$
	Gamma
 Depending on which te 	erms are hedged, the different approaches can be classified into:
 Delta hedge, 	
 Delta, gamma he 	dge,
 Delta, gamma, rh 	o hedge,
 Delta gamma rh 	o and vega hedge,

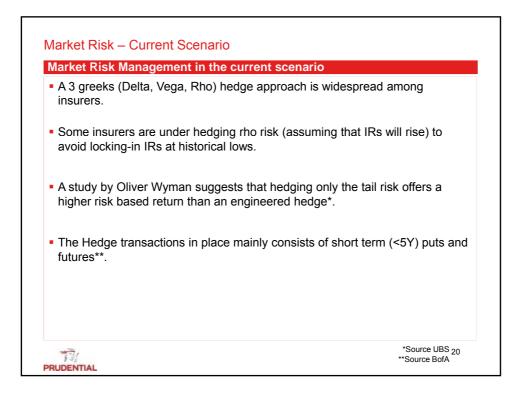


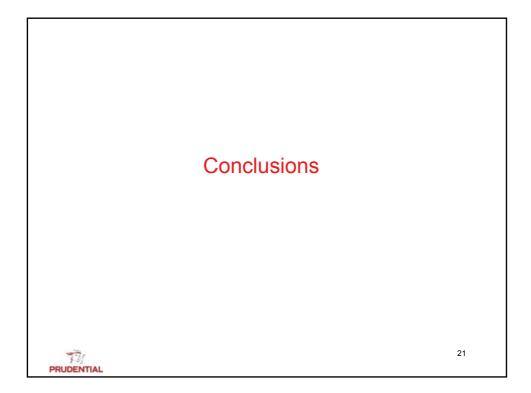


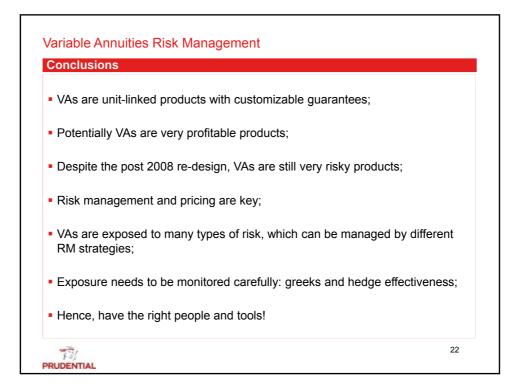




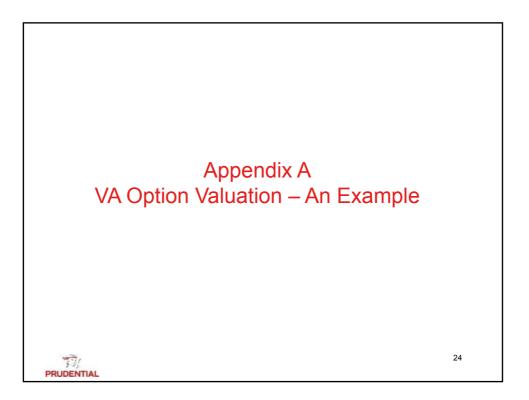


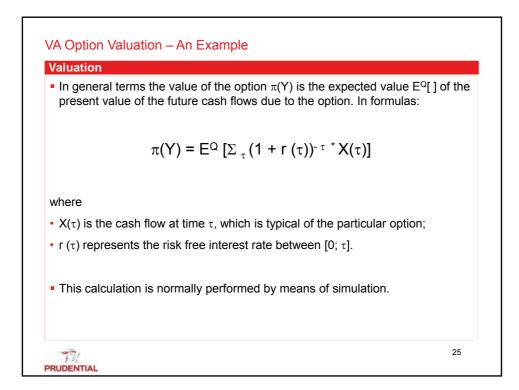




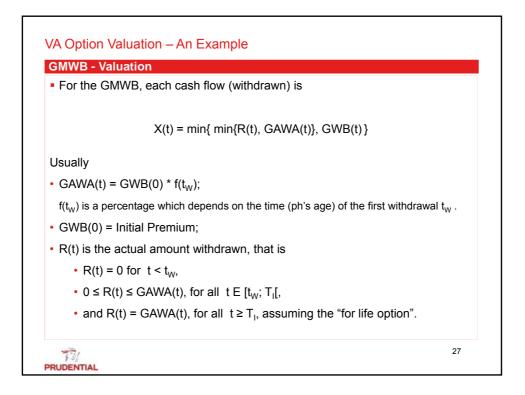


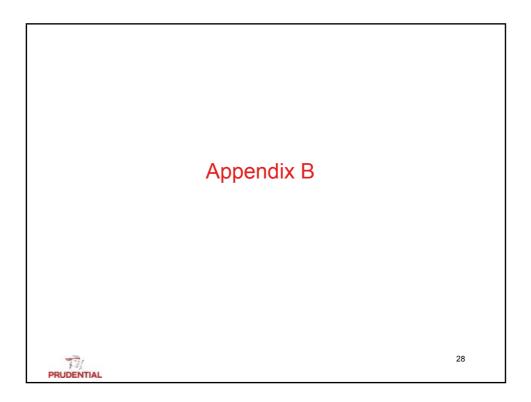


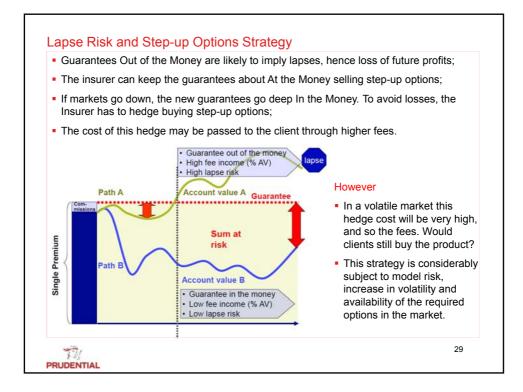




	Accumulatio	n/Withdrawal Period	
T ₀	Withdrawal T _{wc} Charge Period	T ₁	•
Value guar	e. This amount has anteed minimum w	iod the policyholder can withdraw an amount up to th not a guaranteed minimum, unless the policyholder b ithdrawal benefit (GMWB).	ouys a
Value guar Any	e. This amount has anteed minimum w withdrawal before t	not a guaranteed minimum, unless the policyholder b	ouys a
Value guar Any If the	e. This amount has anteed minimum w withdrawal before t policyholder buys A total guaranteed	not a guaranteed minimum, unless the policyholder b ithdrawal benefit (GMWB). he end of the withdrawal charge period (T _{WC}) implies	ouys a a fee.







ariabi	e An	nuities – Greeks in the Black-Scholes Model	
Δ -	_	∂P	
Δp	_	∂S	
	=	$ \frac{\partial P}{\partial S} \\ \Phi(d_1), \\ \partial^2 P $	
		$\partial^2 P$	
Г	=	$\frac{\partial^2 P}{\partial S^2}$	
		$\Phi'(d_1)$	
	=	$\frac{\Phi'(d_1)}{S \times \sigma \times \sqrt{T}},$	
Λ	=	$\frac{\partial P}{\partial \sigma}$	
		$S imes \Phi'(d_1) imes \sqrt{T-t},$	
D_	_	$\frac{\partial P}{\partial r}$	
P	_	∂r	
	_	$-(T-t) \times K \times e^{-r \times (T-t)} \times \Phi(=d_2)$	

