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Capital Tranching: A RAROC Approach to Assessing Reinsurance Cost Effectiveness

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Evaluating Reinsurance Cost Effectiveness

- Using the **Industry Standard Approach (ISA)**, we would
 - Use an internal capital model to...
 - Estimate the change in a whole company required capital metric (e.g., 200-yr VaR of Net Income)...
 - Gross versus Net...
 - And call that change “**Capital Released**”
- We multiply Capital Released by some “**Cost of Capital Rate**”
- The product is the **Capital Cost Savings**
- We compare that with the **Ceded Profit Margin** = Ceded Premium – Expenses – Expected Recovery
- Buy reinsurance with **Ceded Profit Margin < Capital Cost Savings**

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Key Point #1

- ISA is an example of Return On Risk-Addjusted Capital or RORAC approach
 - Risk-adjusts the capital with a constant Capital Cost Rate

Comparability with Insurer Capital Management Realities

- ISA required capital is purely theoretical
 - No form is assumed—e.g., debt, common stock, preferred stock, surplus note, etc.
 - The RORAC “Capital Released” framework suggests a liquid, back-and-forth relationship with the capital providers
 - Far from the realities of insurer capital management
- Supporting arguments to consider insurer capital essentially fixed on an annual basis:
- Insurance companies typically plan one underwriting (or policy) year at a time
 - Capital = Assets – Liabilities
 - Most insurers only “value reserves” annually (full reserve review)
 - Rating agencies are often a binding constraint for held capital, and their required capital models are only run on an annual basis;
 - Mutuals (and reciprocals) have limited means to release or raise capital.

Key Point #2

- RORAC risk-adjusts the capital with a constant Capital Cost Rate
- RAROC risk-adjusts the Capital Cost Rate with fixed capital
- Since insurer capital management realities are more comparable with fixed capital, we can also develop a RAROC approach to assessing reinsurance cost effectiveness

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Implications of Using the ISA (1/2)

- Evaluating the benefit of \$100MM of high-layer catastrophe coverage. The capital modeling team:
 - uses TVaR99 of earnings for its required capital metric;
 - has run 100,000 trials of its capital model, meaning its TVaR99 uses the 1,000 worst trials as ranked by earnings (call these the “tail scenarios”);
 - Half the tail scenarios have full limit cat recoveries of \$100MM, and the other half have no recovery
- Capital savings = \$50MM
 - less than \$1-for-\$1 correspondence with the limit.
- Reasonable assumption of Ceded Profit Margin = \$5MM or 5% “on line”
- In order for the cover to make sense under ISA, the Capital Cost Rate would have to be more than \$5MM / \$50MM or 10%.

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Implications of Using the ISA (2/2)

- ISA will not support purchasing any layer with either a higher Ceded Profit Margin on line or less Capital Released.
- Higher rates on line are generally associated with lower attachment points.
- Lower Capital Release are a function of the correlation between the reinsured lines of business and the modeled tail scenarios.
- Generally speaking, the more specific the reinsurance (e.g., individual business units or lines of business), the lower the Capital Released as a Percent of Limit
- **General conclusion: ISA will favor high-layer corporate catastrophe covers**
 - Supported by observed application of the ISA in the marketplace

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Simple ISA Example: *Single-Event Collateralized Sidecar Reinsurer*

- Providing single-occurrence catastrophe protection
- Assume no reserve or investment risk, and ignore accounting.
- Sidecar's catastrophe OEP is the Underwriting Loss distribution
 - What we call **Capital Consumption**
- For simplicity, assume five possible cat events, A through E

Table 1 -- Capital Consumption Distribution			
Event	Prob	Cum Prob	Capital Consumed
None	95.0%	95.0%	0
A	1.0%	96.0%	100
B	1.0%	97.0%	200
C	1.0%	98.0%	300
D	1.0%	99.0%	400
E	1.0%	100.0%	500

Event E is the
VaR99 or 100-
Year PML

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ISA Example: Net of Five Different Inuring Cat Layers

Cat Layers 1 – 5 are \$100MM limit attaching every \$100MM

Beginning with Layer 1 attaching at \$0

Table 2 -- Capital Consumption Distribution Gross and Net of Cat Layers						
Event	Gross	Net of Layer 1	Net of Layer 2	Net of Layer 3	Net of Layer 4	Net of Layer 5
None	0	0	0	0	0	0
A	100	0	100	100	100	100
B	200	100	100	200	200	200
C	300	200	200	200	300	300
D	400	300	300	300	300	400
E	500	400	400	400	400	400
Shaded Cells have Net = Gross						

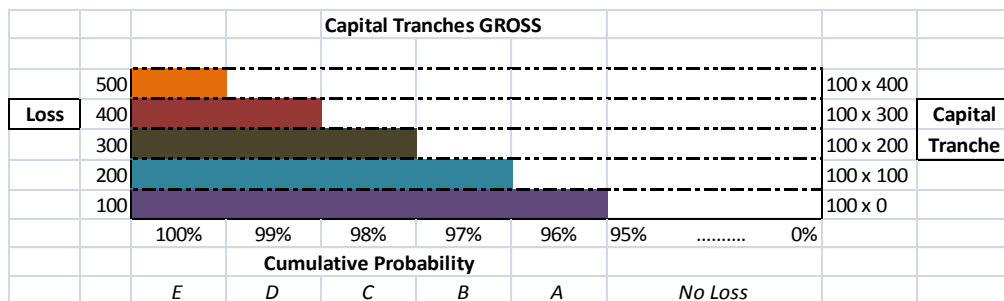
The tail measure "VaR 99" is 400 under every option

Thus the ISA cannot distinguish among the five cat layers

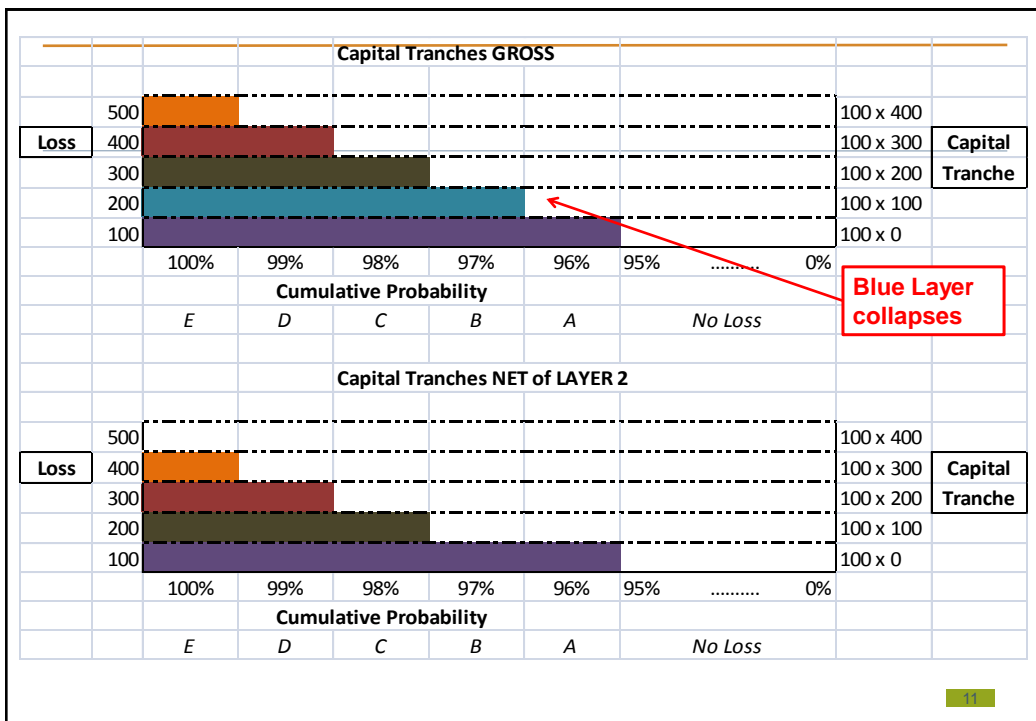
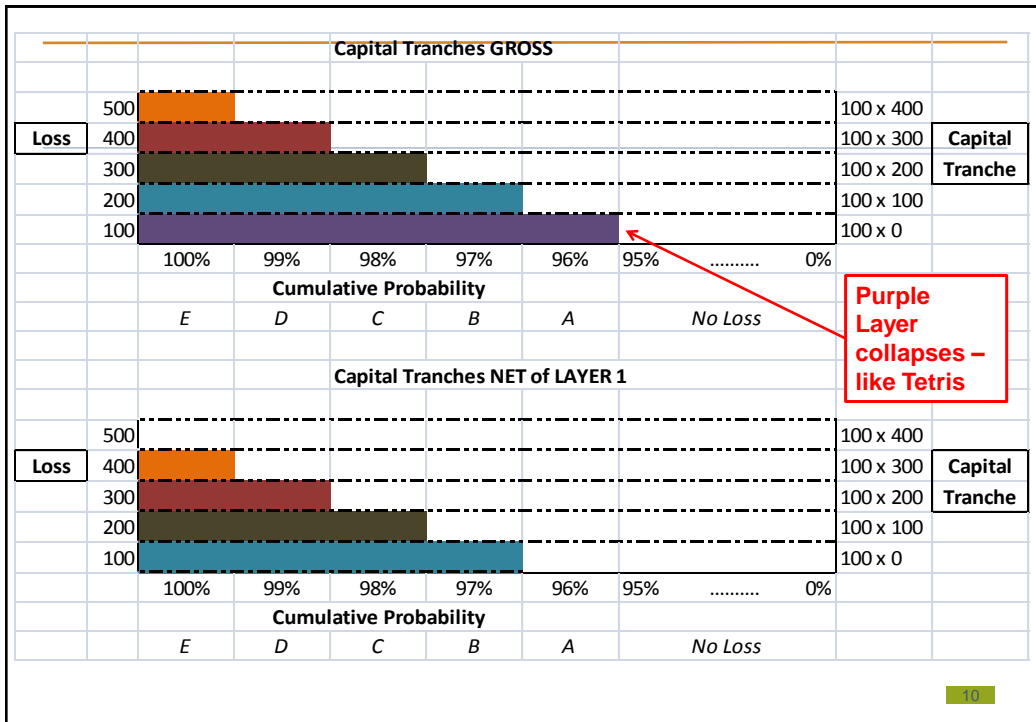
It is "blind" to Layer Position – a serious weakness

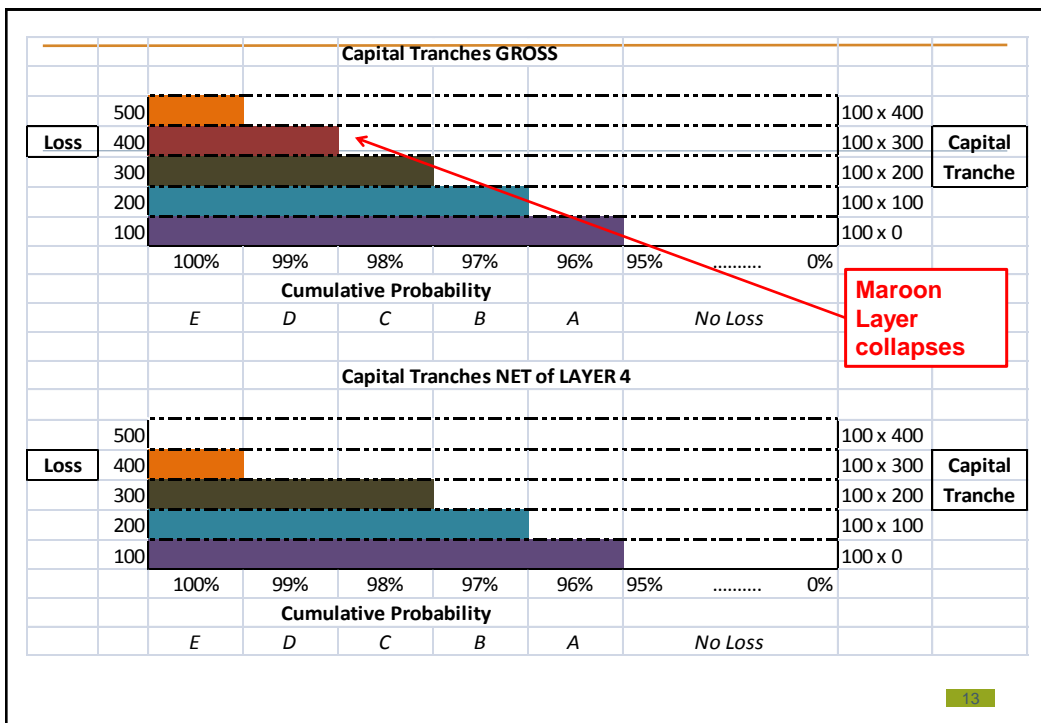
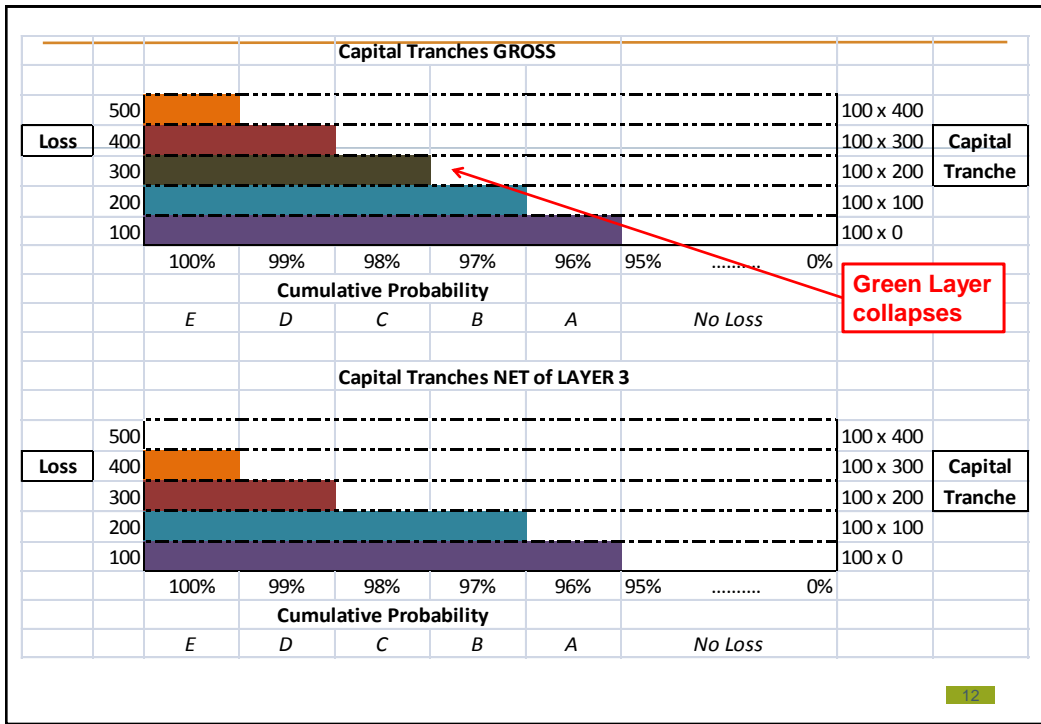
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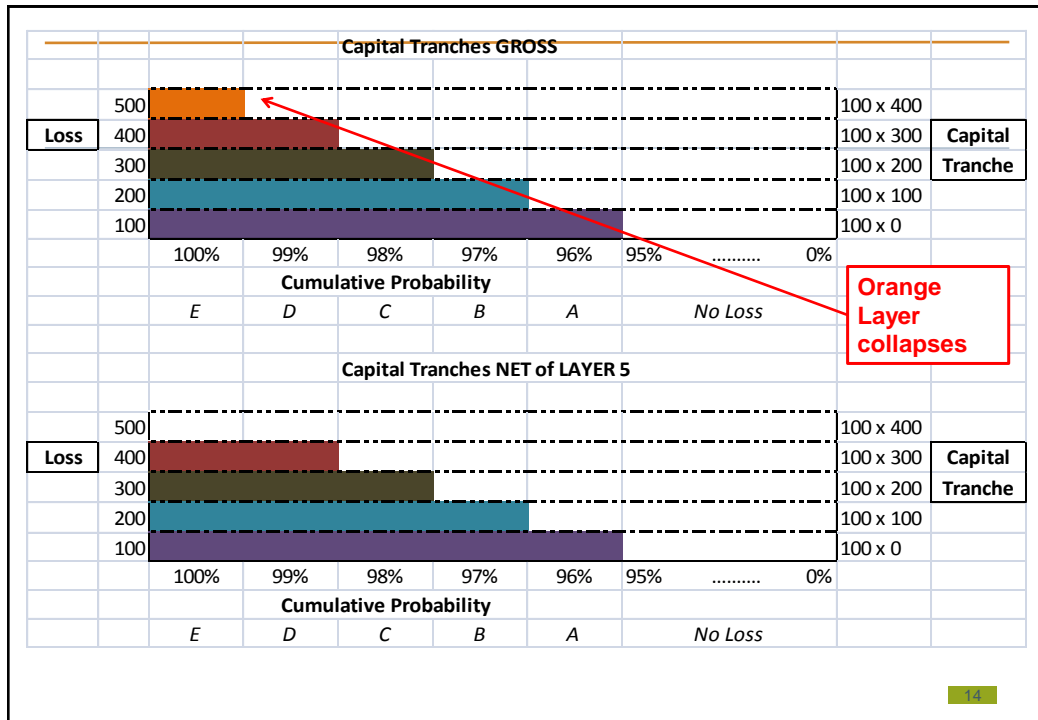
Sidecar Example – Tetris Slides



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Cost of Capital = Rate x Amount

- ISA is an example of Return On Risk-Added Capital or RORAC approach
 - Risk-adjusts the capital with a constant Capital Cost Rate
- We can also Risk-Added Return On Capital or RAROC
 - RAROC risk-adjusts the Capital Cost Rate with fixed capital
- We will do that by
 - Treating capital like an Earnings Stop Loss (ESL)
 - Everything inures to the ESL's benefit
 - ESL Limit = Company's Capital
 - Layering the ESL (Capital markets call this "tranching")
 - Pricing the ESL Layers Gross and Net of program options
 - The difference in the price of the ESL is the Capital Cost Savings

Back to the Example

- Assume each layer is binary – either no loss or full limit loss – which means
 - Loss on Line = $P(\text{Attaching})$
 - Std Dev = $\text{Sqrt}[P(\text{Att}) * (1-P(\text{Att}))]$
 - Rate on Line = $\text{LoL} + \text{Std Dev} * \text{Reluctance}$ {Kreps 1990}

Table 3 -- Capital Tranche Pricing						
	ESL Layers					TOTAL
	1	2	3	4	5	
Att	0	100	200	300	400	500
Lim	100	100	100	100	100	
P(Att)	5.00%	4.00%	3.00%	2.00%	1.00%	
Loss on Line	5.00%	4.00%	3.00%	2.00%	1.00%	
Std Dev = $\text{SQRT}(P*(1-P))$	21.79%	19.60%	17.06%	14.00%	9.95%	
Reluctance Factor	42.48%	42.48%	42.48%	42.48%	42.48%	42.48%
Price	\$ 14.26	\$ 12.32	\$ 10.25	\$ 7.95	\$ 5.23	\$ 50.00
ROL	14.26%	12.32%	10.25%	7.95%	5.23%	10.00%

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Example Gross Case

- TOTAL column = RAROC = Cost of (Reinsurance) Capital
- Set Reluctance to produce overall ROL of 10%

Table 3 -- Capital Tranche Pricing						
	ESL Layers					TOTAL
	1	2	3	4	5	
Att	0	100	200	300	400	500
Lim	100	100	100	100	100	
P(Att)	5.00%	4.00%	3.00%	2.00%	1.00%	
Loss on Line	5.00%	4.00%	3.00%	2.00%	1.00%	
Std Dev = $\text{SQRT}(P*(1-P))$	21.79%	19.60%	17.06%	14.00%	9.95%	
Reluctance Factor	42.48%	42.48%	42.48%	42.48%	42.48%	42.48%
Price	\$ 14.26	\$ 12.32	\$ 10.25	\$ 7.95	\$ 5.23	\$ 50.00
ROL	14.26%	12.32%	10.25%	7.95%	5.23%	10.00%

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Example Net of Cat Layer 1

- ESL 5 has $P(\text{Att}) = 0 \rightarrow \text{ROL} = 0$
- ESL 1 cost \$14.26MM
- Cat Layer 1 **replaced** ESL 1
- \$50MM – \$14.26MM = \$35.74MM
- ESL {1 – 4} Net = {2 – 5} Gross

Table 4 -- Capital Tranche Pricing Net of Cat Layer 1						
	ESL Layers					TOTAL
	1	2	3	4	5	
Att	0	100	200	300	400	
Lim	100	100	100	100	100	500
P(Att)	4.00%	3.00%	2.00%	1.00%	0.00%	
Loss on Line	4.00%	3.00%	2.00%	1.00%	0.00%	
Std Dev = $\text{SQRT}(P*(1-P))$	19.60%	17.06%	14.00%	9.95%	0.00%	
Reluctance Factor	42.48%	42.48%	42.48%	42.48%	42.48%	
Price	\$ 12.32	\$ 10.25	\$ 7.95	\$ 5.23	\$ -	\$ 35.74
ROL	12.32%	10.25%	7.95%	5.23%	0.00%	7.15%

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Summary of All Five Cat Layers

- ISA measured identical capital impact of Cat Layers 1 – 5
- Capital Tranching clearly distinguishes among the different Cat Layers

Table 6 -- Capital Tranching Evaluation of Cat Layers 1 to 5								
	ESL Layers						Evaluation	
	1	2	3	4	5	TOTAL	Capital Cost Savings	Price
Gross	14.26%	12.32%	10.25%	7.95%	5.23%	10.00%		
Net of Cat Layer 1	12.32%	10.25%	7.95%	5.23%	0.00%	7.15%	\$ 14.26	\$ 14.26
Net of Cat Layer 2	14.26%	10.25%	7.95%	5.23%	0.00%	7.54%	\$ 12.32	\$ 12.32
Net of Cat Layer 3	14.26%	12.32%	7.95%	5.23%	0.00%	7.95%	\$ 10.25	\$ 10.25
Net of Cat Layer 4	14.26%	12.32%	10.25%	5.23%	0.00%	8.41%	\$ 7.95	\$ 7.95
Net of Cat Layer 5	14.26%	12.32%	10.25%	7.95%	0.00%	8.95%	\$ 5.23	\$ 5.23

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Summary of All Five Cat Layers

- Capital Cost Savings = Price because we priced both the Cat Layers and ESL's with the same Reluctance
- If Reinsurer capital is cheaper, Reluctance is lower, Price is lower, Cat Layers look better
- Or vice-versa for more expensive

Table 6 -- Capital Tranching Evaluation of Cat Layers 1 to 5

	ESL Layers						Evaluation	
	1	2	3	4	5	TOTAL	Capital Cost Savings	Price
Gross	14.26%	12.32%	10.25%	7.95%	5.23%	10.00%		
Net of Cat Layer 1	12.32%	10.25%	7.95%	5.23%	0.00%	7.15%	\$ 14.26	\$ 14.26
Net of Cat Layer 2	14.26%	10.25%	7.95%	5.23%	0.00%	7.54%	\$ 12.32	\$ 12.32
Net of Cat Layer 3	14.26%	12.32%	7.95%	5.23%	0.00%	7.95%	\$ 10.25	\$ 10.25
Net of Cat Layer 4	14.26%	12.32%	10.25%	5.23%	0.00%	8.41%	\$ 7.95	\$ 7.95
Net of Cat Layer 5	14.26%	12.32%	10.25%	7.95%	0.00%	8.95%	\$ 5.23	\$ 5.23

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Conclusions

Table 7 -- Comparing ISA and Capital Tranching Approaches to Evaluating Reinsurance Effectiveness

Item	ISA	Capital Tranching
Input Distribution	Gross and Net Capital Consumption distribution from Internal Capital Model	
Required Capital Amount	Variable (risk-adjusted)	Fixed
Capital Released	Change in Required Capital	N/A
Cost of Capital Rate	Fixed	Variable (risk-adjusted)
Capital Cost Savings	Product of Capital Release and Cost of Capital Rate	Product of Capital Amount and Change in Cost of Capital Rate
Cost-Effectiveness Evaluation	Ceded Profit Margin < Capital Cost Savings	

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Questions or comments?

Expressions of individual views by members of The Actuarial Profession and its staff are encouraged.

The views expressed in this presentation are those of the presenter.

