



Southampton

Critical illness insurance rates: are they changing over time and how?

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Work with Chunxiao Xie

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www.actuaries.org.uk/arc

Modelling, Measurement and Management of Longevity and Morbidity Risk

- Major research programme funded by the Actuarial Research Centre of the Institute and Faculty of Actuaries running from 2016 to 2020
- Significant supporting funding from the Society of Actuaries and the Canadian Institute of Actuaries
- Themes
 - Development of new single and multi-population models for mortality and new sub-population mortality datasets
 - · Drivers of mortality and cause of death analysis
 - · Longevity risk management
 - · Stochastic models for critical illness insurance











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Outline

- · Critical illness insurance
- Data
- · Stochastic modelling
 - Delay time distribution (diagnosis to settlement)
 - Claim rates
- · Claim rates comparison
 - Smoothed rates: 1999-2005 v 2007-2010
- Pricing rates





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Critical illness insurance

Critical illness: Policy description

- Fixed term policy, usually ceasing at age 65
- A fixed sum insured payable on the diagnosis of one of a specified list of critical illnesses
- Covers: Cancer; *Death*; Heart attack; Stroke; Multiple Sclerosis; Total & permanent disability; Coronary artery bypass graft; Kidney failure; Major organ transplant etc.
- Policies are often sold together with term or endowment insurance
- Benefit type: Full Accelerated (FA) or Stand Alone (SA)





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Data

Provided by the CMI Assurances Committee

Data

CII data supplied by CMI:

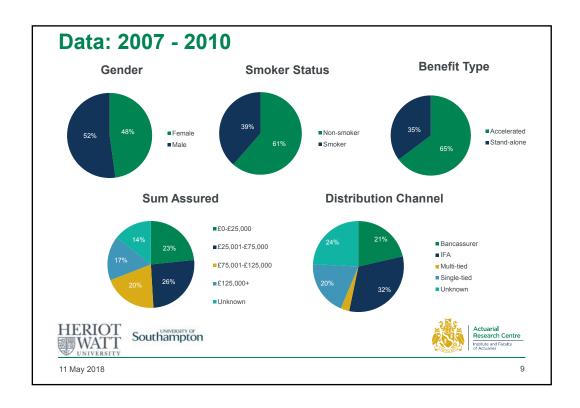
- 1999-2005
 - Details of policies inforce at the start and end of each year
 - 19,000 claims settled
- 2007- 2010
 - Grouped by various risk factors
 - 25,187 claims settled

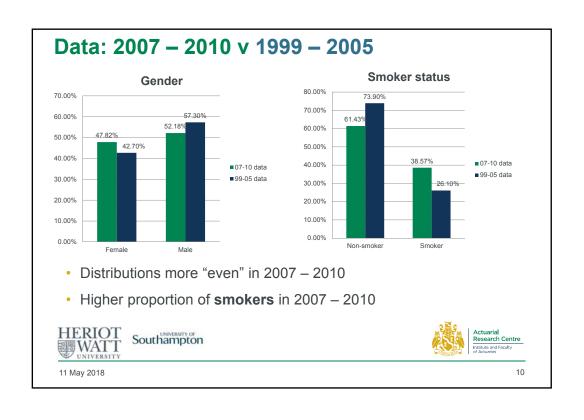


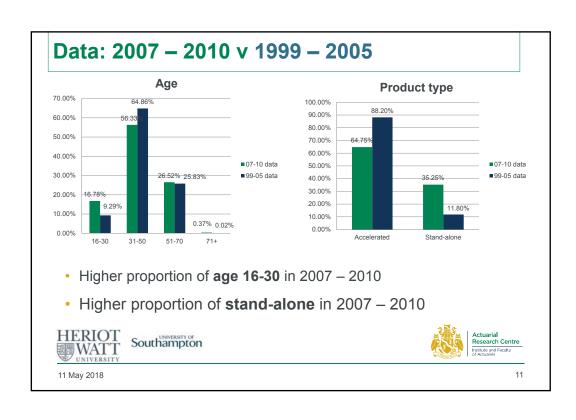


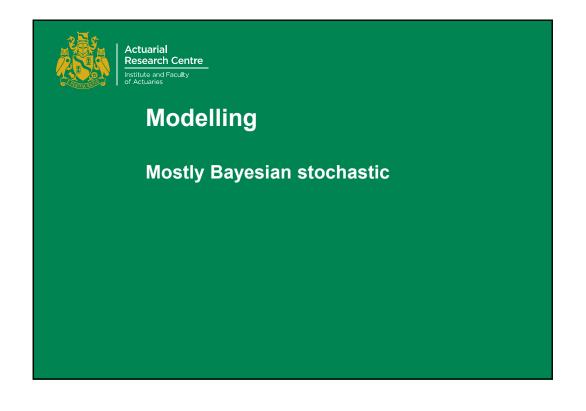
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Data	Risk factor (covariate)	1999 – 2005	2007 – 2010
Data:	Age (last birthday)	V	√
Claims	J (),		
Exposures Risk factors:	Gender	$\sqrt{}$	$\sqrt{}$
	Smoker	$\sqrt{}$	$\sqrt{}$
	Policy duration	$\sqrt{}$	$\sqrt{}$
	Office	V	
	Distribution channel	$\sqrt{}$	$\sqrt{}$
	Benefit type (accelerated, standalone)	V	$\sqrt{}$
	Benefit amount	$\sqrt{}$	$\sqrt{}$
	Policy type (single, joint)	$\sqrt{}$	
	Settlement year	$\sqrt{}$	$\sqrt{}$
	Cause	$\sqrt{}$	
HERIOT Southampton	Product category		$\sqrt{}$
	Date of diagnosis	$\sqrt{}$	









Stochastic modelling

- Estimation & smoothing of CI diagnosis rates
 - how do these depend on risk factors?
- Diagnosis is the insured event and there is a delay between diagnosis and settlement



- The exposure corresponds to claims settled, not to claims diagnosed
- · This can lead to biased rate estimates; need to adjust it
- Also take into account uncertainty





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Stochastic modelling

Delay time distribution (1999-2005)

- Diagnosis date not always recorded or available
 - 18% diagnosis dates missing
- · Observed data: mean delay 185 days; sd 263 days
- Fit a delay distribution (GB2 in Bayesian GLM-type setting):
 - -F(d; x, z) = Pr(claim diagnosed age x, risk factors z, will be settled in d days)

 $D_i \sim \text{Generalised Beta2}(\alpha, \tau, \gamma, s_i)$

$$f_D(d_i) = \frac{\Gamma(\alpha + \gamma)}{\Gamma(\alpha)\Gamma(\gamma)} \frac{\tau(d_i/s_i)^{\tau\gamma}}{d_i \left[1 + (d_i/s_l)^{\tau}\right]^{\alpha + \gamma}}$$

$$E(D_i) = \exp\left(\beta_0 + \sum_{j=1}^8 \beta_j z_{ij} + \beta_{9,k} + \beta_{10,l}\right)$$



with s_i given as function of $\eta_i, \alpha, \tau, \gamma$.

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Stochastic modelling Delay time distribution (1999-2005)

- · Most factors significant:
 - · Policy duration, amount, death: shorter delay
 - Single life, stroke, multiple sclerosis: longer delay
- Non-recorded diagnosis dates estimated through delay distribution F()
- Data (exposures) adjusted to allow for non-settled claims
 E*(u; x) = E(u; x) × F(t-u; x)





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Stochastic modelling Delay time distribution (2007 – 2010)

- · Diagnosis date not available
- Assume similar delay distribution
- Match claims with common characteristics (age, policy duration etc)
- · Adjust exposures as in earlier data

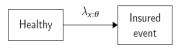




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Stochastic modelling: Claim rates

Model:



Fit Bayesian model:

$$N^{(j)}(x;\theta) \sim \text{Poisson}\left(\lambda_{x;\theta}^{(j)} \int_{u=0}^{4} E(u:x;\theta) F^{(j)}(4-u:x;\theta) du\right)$$

Adjusted exposure

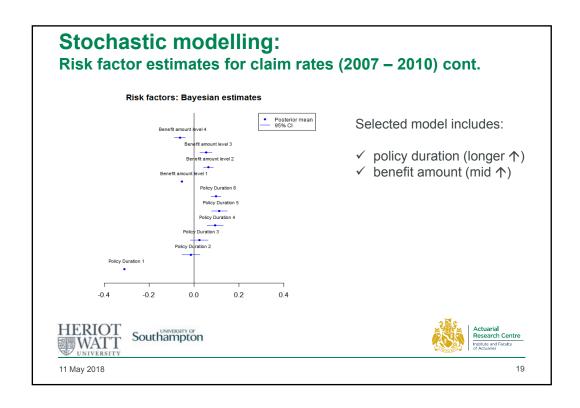
 $\lambda^{(j)}_{x,\theta}$: **diagnosis (claim) rate** for cause *j* at age *x* with risk factors θ



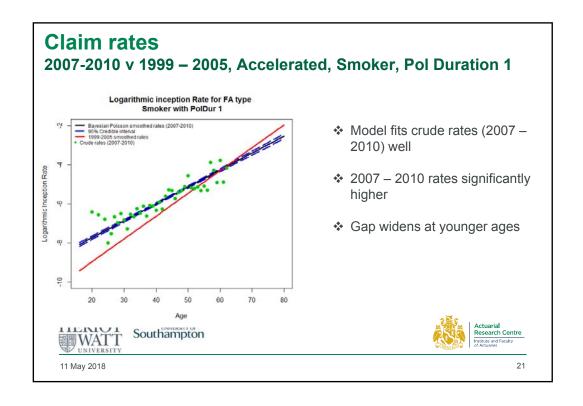


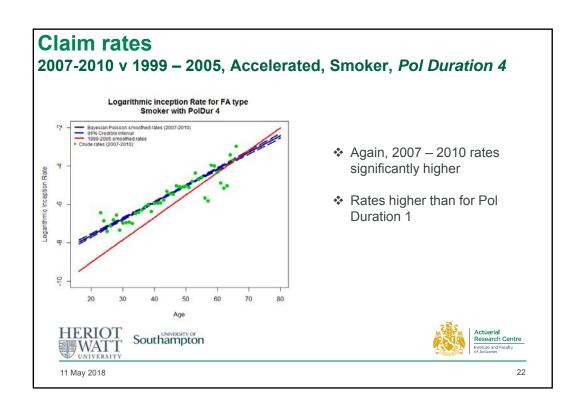
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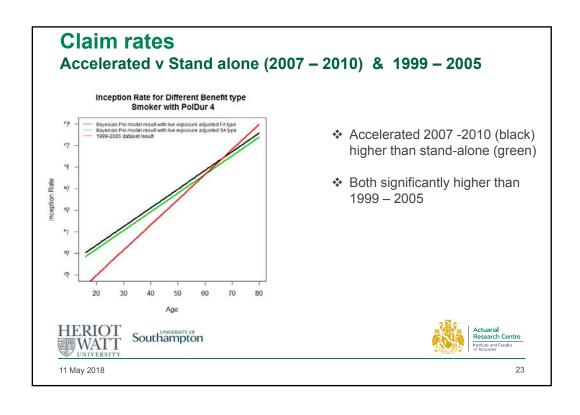
Stochastic modelling: Risk factor estimates for claim rates (2007 – 2010) Risk factors: Bayesian estimates Perform variable (factor) selection Selected model includes: ✓ age (older ↑) ✓ smoker status (S ↑) √ distribution channel √ benefit type (stand-alone ↓) √ age x smoker Southampton 11 May 2018

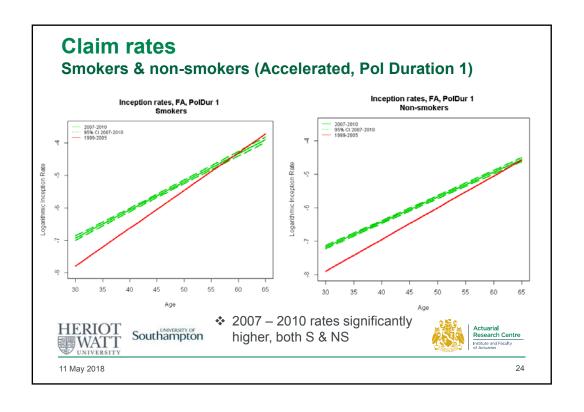


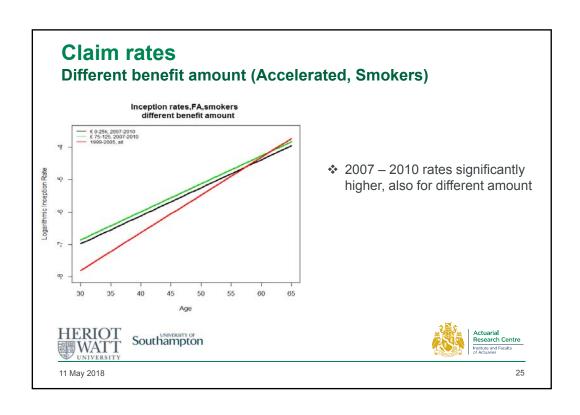














Pricing

Annual premium, paid at constant rate, n-year term:

Net Premium = Benefit Amount
$$\times \frac{\int\limits_{t=0}^{n} v^{t} _{t} p_{x} \lambda_{x+t} dt}{\int\limits_{t=0}^{n} v^{t} _{t} p_{x} dt}$$

where

$$_{t}p_{x}=\exp\left(-\int\limits_{s=0}^{t}\lambda_{x+t}\,dt
ight)$$
 and v is the discount factor.

Then bootstrap distribution of λs used to derive CIs for premiums.



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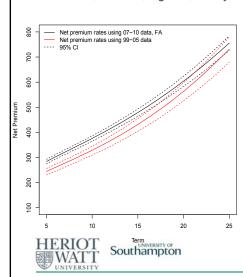


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Pricing

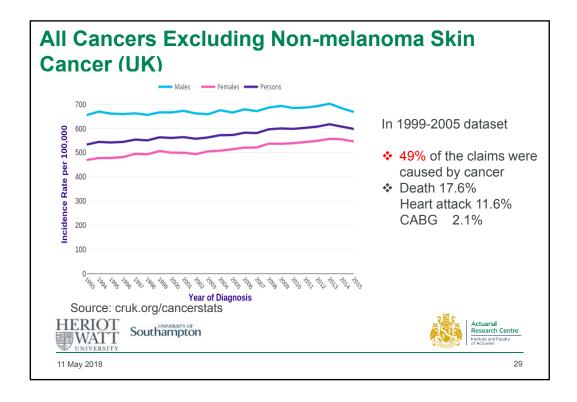
All causes, Smoker, Age 40, Policy duration 0, Benefit amount £100k, i=3%



Since 2007 – 2010 FA rates are higher than 1999-2005 combined rates, the net premium rates are also higher.



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Future trends of CII claims

- · Cancer forms almost half of the CII claims.
 - Availability of screening (e.g colonoscopy, mammography)
 - Social/behavioural changes (e.g. obesity, alcohol consumption)
 - New treatments (e.g. targeted immunotherapy)
 - Statistical advances (e.g. use of big data, Al methods)



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Conclusions

- Critical illness insured population distribution has some differences between 1999-2005 & 2007-2010
- · Time between diagnosis and settlement of a claim is important
- Claim rates (2007-2010) depend on a number of risk factors including:
 - age, smoker status, distribution channel, policy duration, benefit amount and benefit type
- Analysis suggests increase of a CII claim and premium rates over time (1999-2005 v 2007-2010)
 - especially at younger ages



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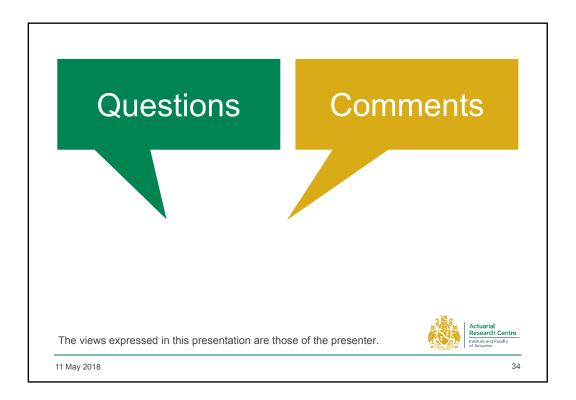
Continuing work

- Fit more sophisticated Bayesian model to allow for more variation in rates (e.g. hierarchical, negative binomial)
- Use of population morbidity statistics
- · Liaise with CMI for knowledge exchange on data, modelling
- Compare with CMI rates





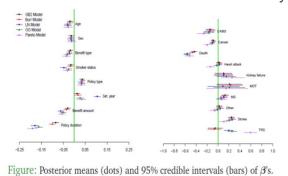
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Stochastic modelling: Delay time distribution

1999 - 2005 (cont.)

· Generalised Beta 2 distribution in Bayesian GLM-type setting



Most factors significant:

- Policy duration, amount, death, CABG: shorter delay
- Single life, stroke, mult sclerosis: longer delay





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